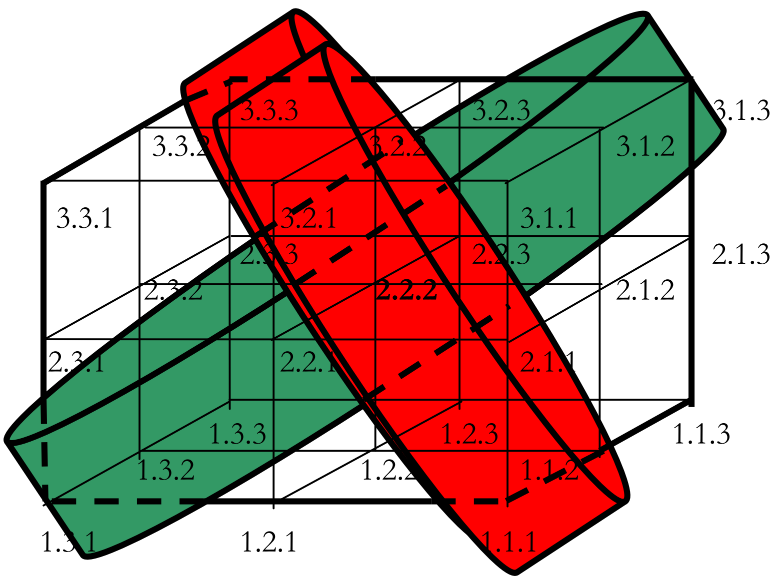
Prof. Dr. Alfred Toth

Semiotische Transitionen II

1. In Toth (2009b) wurde auf der Basis der in Toth (2009a) eingeführten dreidimensionalen Semiotik ein Modell zweier sich schneidender Zylinder eingeführt, in denen die dreidimensionalen Entsprechungen der 2-dimensionalen Haupt- und Nebendiagonalen der semiotischen Matrix, d.h. der Kategorienklasse (3.3. 2.2 1.1) und der eigenrealen, dualinvarianten Zeichenklasse (3.1 2.2 1.3) verlaufen:



Dieses Zylindermodell scheint mit den ebenfalls zylindrischen Modellen von Jenseitsfahrten seit Hieronymus Busch mindestens intuitiv zusammenzustimmen (Toth 2009b). Neben den beiden eigenrealen Diagonalen (vgl. Bense 1992, S. 40) finden sich in dem auf Stiebing (1978, S. 77) beruhenden Modell des Zeichenkubus noch 5 weitere eigenreale Zeichenklassen

12 (3.1.1 2.1.2 1.1.3) × (3.1.1 2.1.2 1.1.3)
57 (3.2.1 2.2.2 1.2.3) × (3.2.1 2.2.2 1.2.3)
79 (3.2.3 2.2.2 1.2.1) × (1.2.1 2.2.2 3.2.3)
91 (3.3.3 2.3.2 1.3.1) × (1.3.1 2.3.2 3.3.3)
93 (3.3.1 2.3.2 1.3.3) × (3.3.1 2.3.2 1.3.3)

sowie 18 weitere Zeichenklassen mit triadischen strukturellen Realitäten:

18 (3.1.1 2.1.2 1.3.3) × (3.3.1 2.1.2 1.1.3)
20 (3.1.1 2.1.3 1.1.2) × (2.1.1 3.1.2 1.1.3)
23 (3.1.1 2.1.3 1.2.2) × (2.2.1 3.1.2 1.1.3)
26 (3.1.1 2.1.3 1.3.2) × (2.3.1 3.1.2 1.1.3)

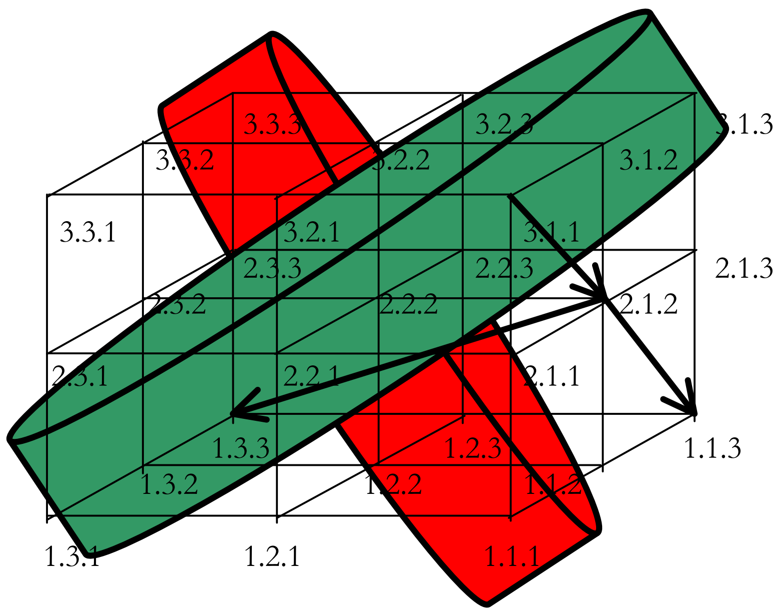
30 (3.1.1 2.2.2 1.2.3) × (3.2.1 2.2.2 1.1.3)
32 (3.1.1 2.2.3 1.2.2) × (2.2.1 3.2.2 1.1.3)
35 (3.1.1 2.3.3 1.3.2) × (2.3.1 3.3.2 1.1.3)
43 (3.1.2 2.2.3 1.2.1) × (1.2.1 3.2.2 2.1.3)
46 (3.1.2 2.2.3 1.3.1) × (1.3.1 3.2.2 2.1.3)
59 (3.2.1 2.2.3 1.2.2) × (2.2.1 3.2.2 1.2.3)
63 (3.2.2 2.2.1 1.2.3) × (3.2.1 1.2.2 2.2.3)
70 (3.2.2 2.2.3 1.2.1) × (1.2.1 3.2.2 2.2.3)
73 (3.2.2 2.2.3 1.3.1) × (1.3.1 3.2.2 2.2.3)
77 (3.2.3 2.2.1 1.2.2) × (2.2.1 1.2.2 3.2.3)
89 (3.3.3 2.3.1 1.3.2) × (2.3.1 1.3.2 3.3.3)
95 (3.3.1 2.3.3 1.3.2) × (2.3.1 3.3.2 1.3.3)
99 (3.3.2 2.3.1 1.3.3) × (3.3.1 1.3.2 2.3.3)
103 (3.3.2 2.3.3 1.3.1) × (1.3.1 3.3.2 2.3.3)

Da diese Zeichenklassen in jedem Fall mindestens durch eine Ecke (Subzeichen) oder eine Kante des entsprechenden semiotischen Graphen mit den in den Zylindern liegenden eigenrealen Zeichenklassen verbunden sind, wurden sie in Toth (2009b) als Transitionsklassen bezeichnet, denn sie verbinden die Vorstellung des durch die Zylinder repräsentierten Transits (vgl. Toth 2008b) mit den Übergängen ausserhalb der Zylinder, also den zu den Transits gehörigen Transitionen. Da man unterscheiden kann zwischen Transitionen zur Eigenrealität und Transitionen zur Kategorienrealität, hat also jede der 18 Transitionsklassen 2 Transitionen zu 5 möglichen eigenrealen Zeichenklassen, die wir im folgenden detailliert anschauen werden.

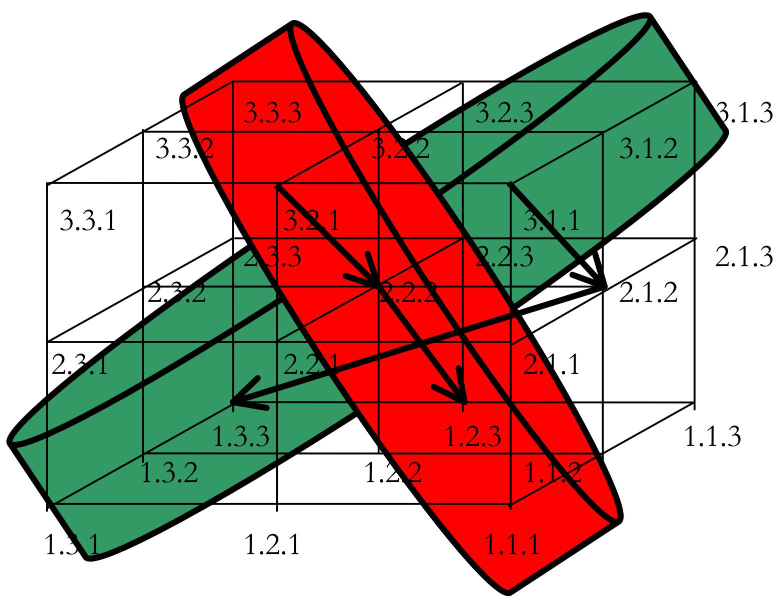
2.1. Transitionsklasse (3.1.1 2.1.2 1.3.3)

$$(3.1.1\ 2.1.2\ 1.3.3) \to \begin{cases} (3.1.1\ 2.1.2\ 1.1.3) \\ (3.2.1\ 2.2.2\ 1.2.3) \\ (3.2.3\ 2.2.2\ 1.2.1) \\ (3.3.3\ 2.3.2\ 1.3.1) \\ (3.3.1\ 2.3.2\ 1.3.3) \end{cases}$$

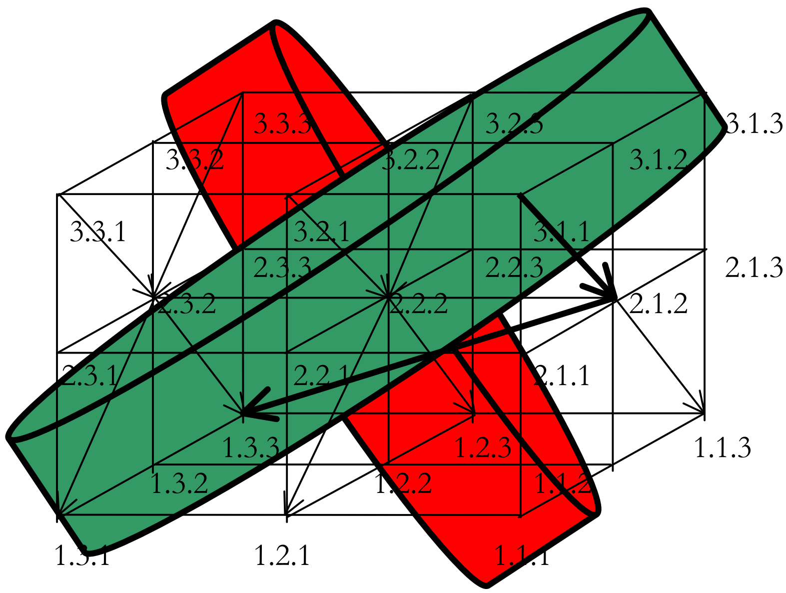
(3.1.1 2.1.2 1.3.3) → (3.1.1 2.1.2 1.1.3) ≡ [[$\beta°$, id1, α], [$\alpha°$, $\beta\alpha$, β]] → [[$\beta°$, id1, α], [$\alpha°$, id1, β]]



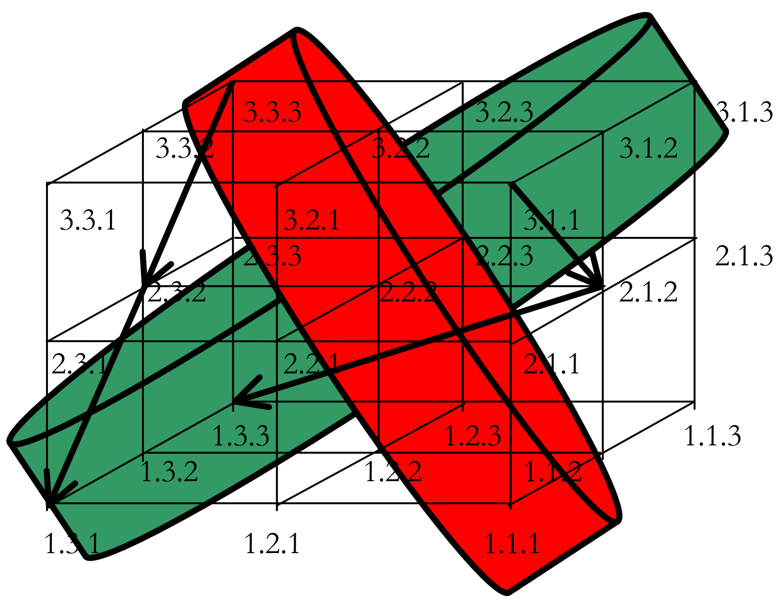
(3.1.1 2.1.2 1.3.3) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id1, α], [α°, βα, β]] → [[β°, id2, α], [α°, id2, β]]



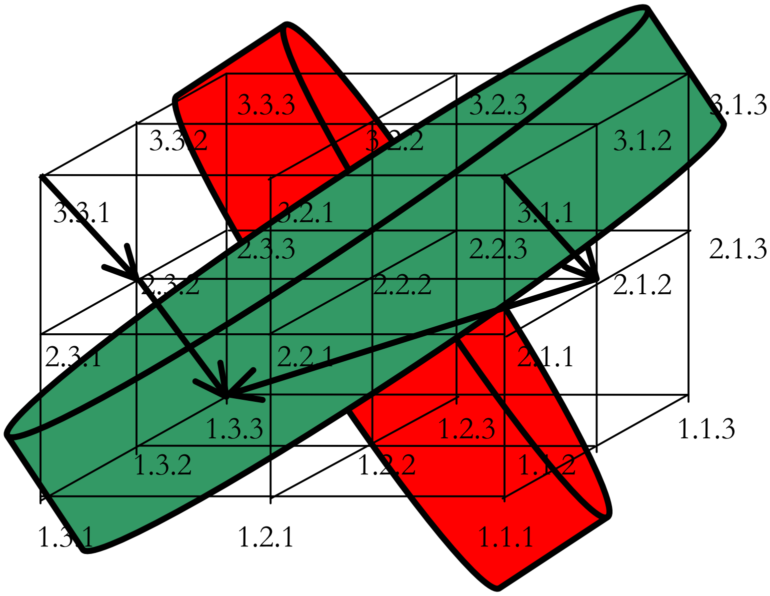
(3.1.1 2.1.2 1.3.3) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id1, α], [α°, βα, β]] → [[β°, id2, β°], [α°, id2. α°]]



(3.1.1 2.1.2 1.3.3) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id1, α], [α°, βα, β]] → [[β°, id3, β°], [α°, id3, α°]]



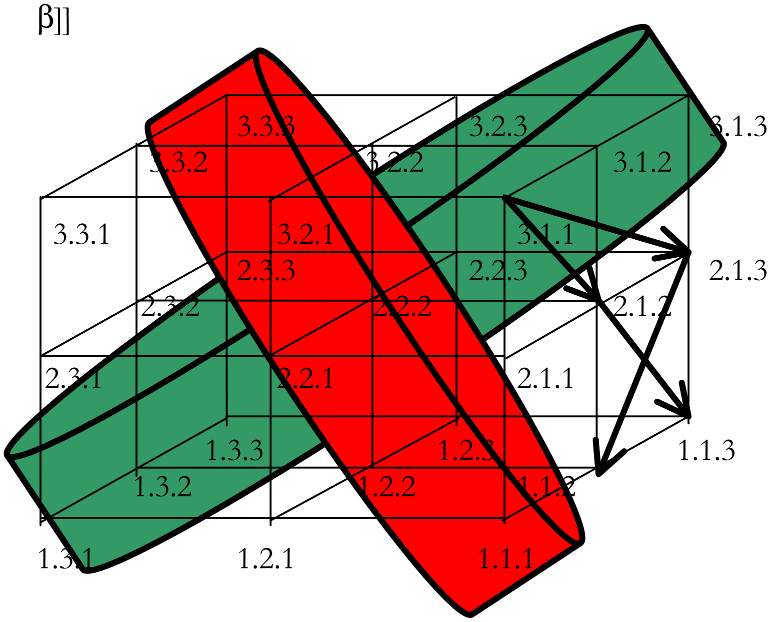
(3.1.1 2.1.2 1.3.3) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id1, α], [α°, βα, β]] → [[β°, id3, βα], [α°, id3, β]]



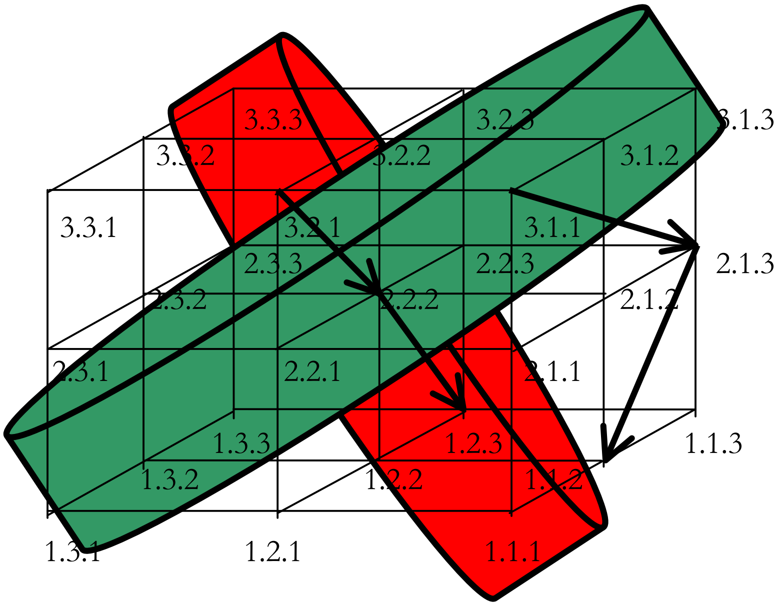
2.2. Transitionsklasse (3.1.1 2.1.3 1.1.2)

(3.1.1 2.1.3 1.1.2) → (3.1.1 2.1.2 1.1.3)
(3.1.1 2.1.3 1.1.2) → (3.2.1 2.2.2 1.2.3)
(3.1.1 2.1.3 1.1.2) → (3.2.3 2.2.2 1.2.1)
(3.1.1 2.1.3 1.1.2) → (3.3.3 2.3.2 1.3.1)
(3.1.1 2.1.3 1.1.2) → (3.3.1 2.3.2 1.3.3)

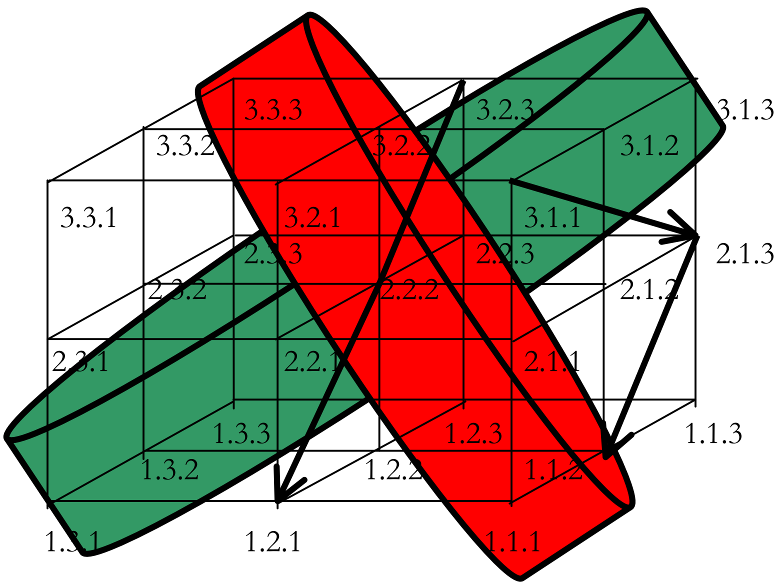
(3.1.1 2.1.3 1.1.2) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id1, βα], [α°, id1, β°]] → [[β°, id1, α], [α°, id1, β]]



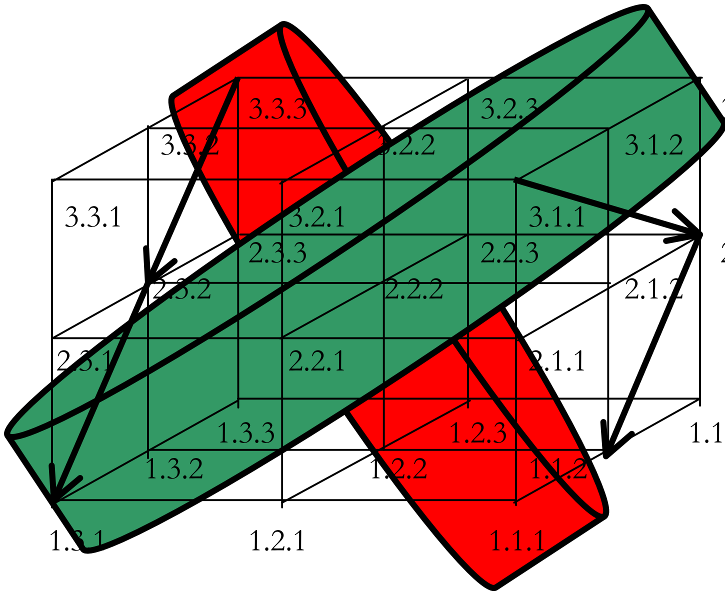
(3.1.1 2.1.3 1.1.2) $\rightarrow$ (3.2.1 2.2.2 1.2.3) $\equiv$ $[[\beta^\circ, \mathrm{id1}, \beta\alpha], [\alpha^\circ, \mathrm{id1}, \beta^\circ]] \rightarrow [[\beta^\circ, \mathrm{id2}, \alpha], [\alpha^\circ, \mathrm{id2}, \beta]]$



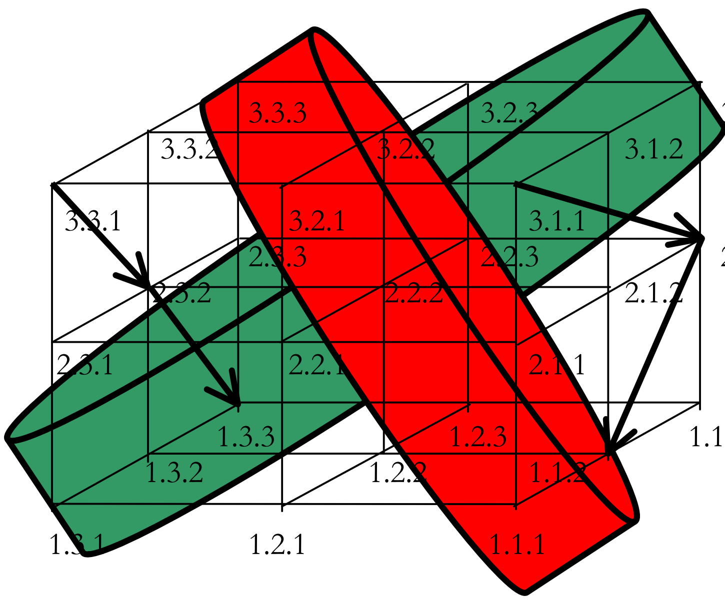
(3.1.1 2.1.3 1.1.2) $\rightarrow$ (3.2.3 2.2.2 1.2.1) $\equiv$ $[[\beta^\circ, \mathrm{id1}, \beta\alpha], [\alpha^\circ, \mathrm{id1}, \beta^\circ]] \rightarrow [[\beta^\circ, \mathrm{id2}, \beta^\circ], [\alpha^\circ, \mathrm{id2}, \alpha^\circ]]$



(3.1.1 2.1.3 1.1.2) $\rightarrow$ (3.3.3 2.3.2 1.3.1) $\equiv$ $[[\beta^\circ, \mathrm{id1}, \beta\alpha], [\alpha^\circ, \mathrm{id1}, \beta^\circ]] \rightarrow [[\beta^\circ, \mathrm{id3}, \beta^\circ], [\alpha^\circ, \mathrm{id3}, \alpha^\circ]]$



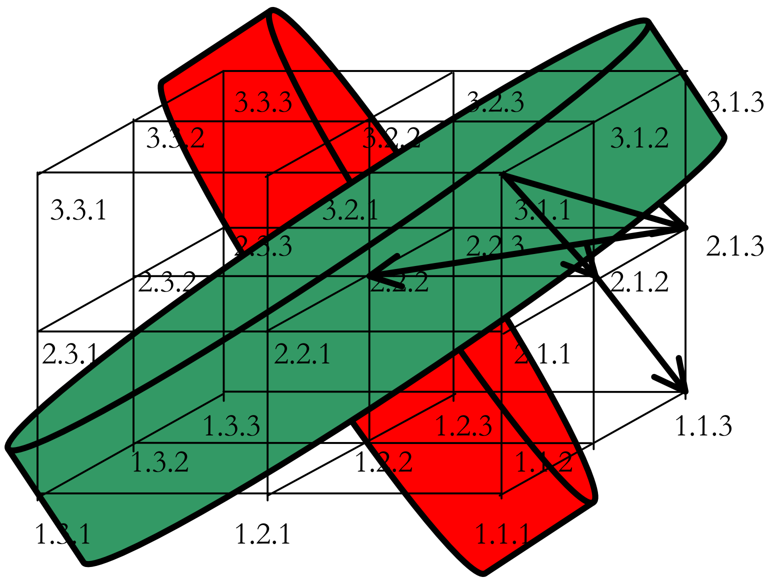
(3.1.1 2.1.3 1.1.2) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id1, βα], [α°, id1, β°]] → [[β°, id3, α], [α°, id3, β]]



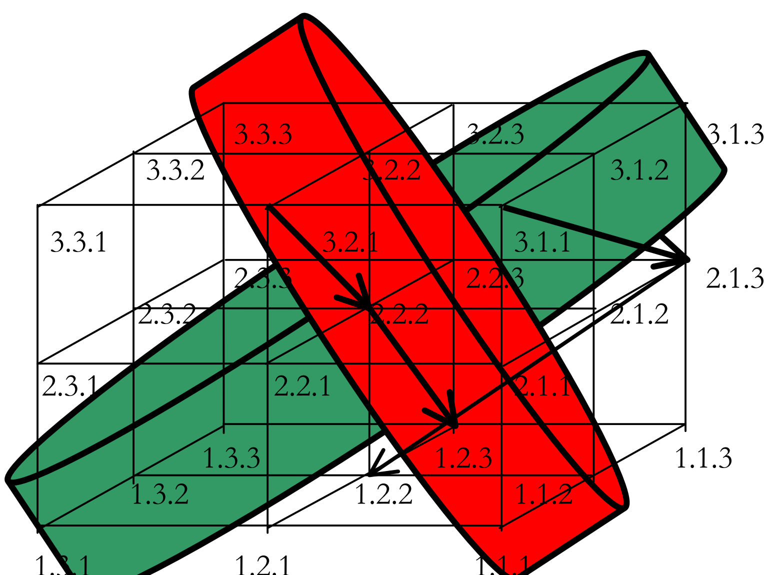
2.3. Transitionsklasse (3.1.1 2.1.3 1.2.2)

(3.1.1 2.1.3 1.2.2) → (3.1.1 2.1.2 1.1.3)
(3.1.1 2.1.3 1.2.2) → (3.2.1 2.2.2 1.2.3)
(3.1.1 2.1.3 1.2.2) → (3.2.3 2.2.2 1.2.1)
(3.1.1 2.1.3 1.2.2) → (3.3.3 2.3.2 1.3.1)
(3.1.1 2.1.3 1.2.2) → (3.3.1 2.3.2 1.3.3)

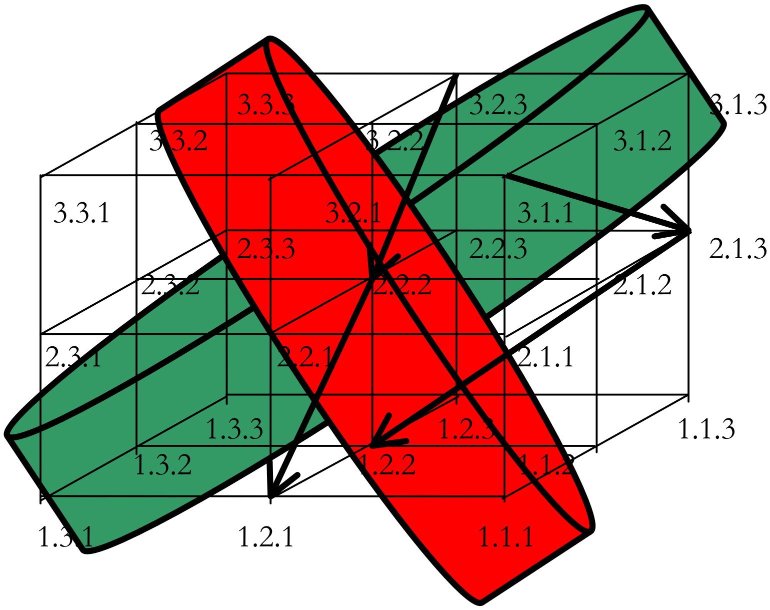
(3.1.1 2.1.3 1.2.2) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id1, βα], [α°, α, β°]] → [[β°, id1, α], [α°, id1, β]]



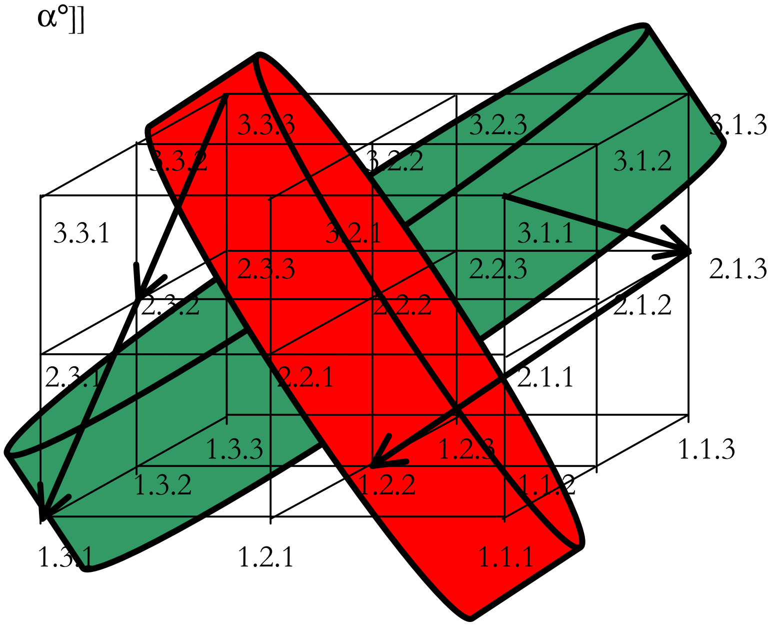
(3.1.1 2.1.3 1.2.2) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id1, βα], [α°, α, β°]] → [[β°, id2, α], [α°, id2, β]]



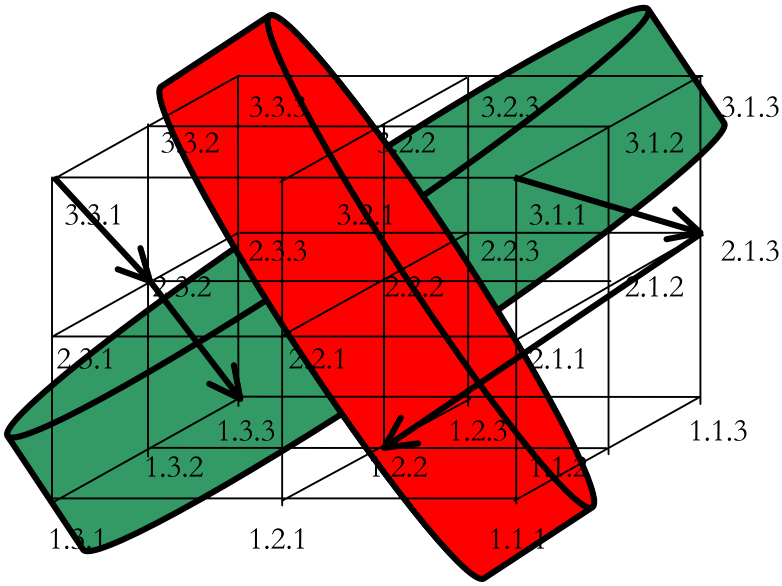
(3.1.1 2.1.3 1.2.2) $\rightarrow$ (3.2.3 2.2.2 1.2.1) $\equiv$ [[$\beta°$, id1, $\beta\alpha$], [$\alpha°$, α, $\beta°$]] $\rightarrow$ [[$\beta°$, id2, $\beta°$], [$\alpha°$, id2, $\alpha°$]]



(3.1.1 2.1.3 1.2.2) $\rightarrow$ (3.3.3 2.3.2 1.3.1) $\equiv$ [[$\beta°$, id1, $\beta\alpha$], [$\alpha°$, α, $\beta°$]] $\rightarrow$ [[$\beta°$, id3, $\beta°$], [$\alpha°$, id3, $\alpha°$]]



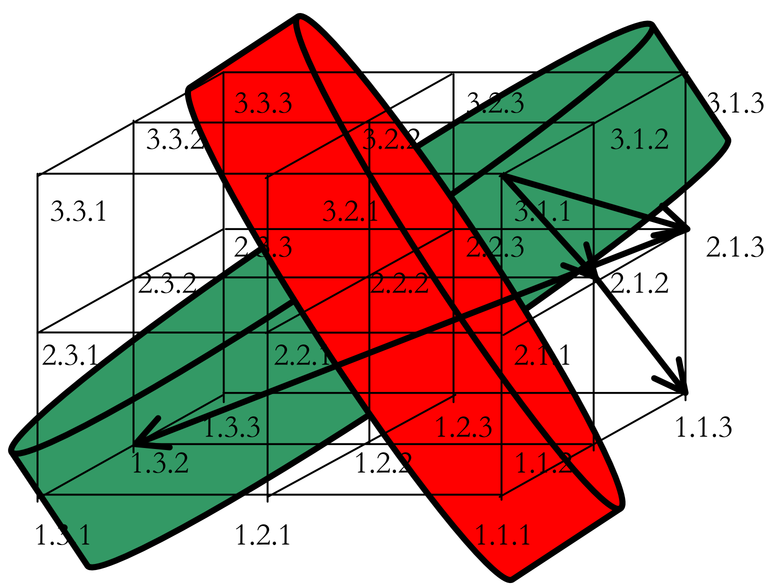
(3.1.1 2.1.3 1.2.2) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id1, βα], [α°, α, β°]] → [β°, id3, α], [α°, id3, β]]



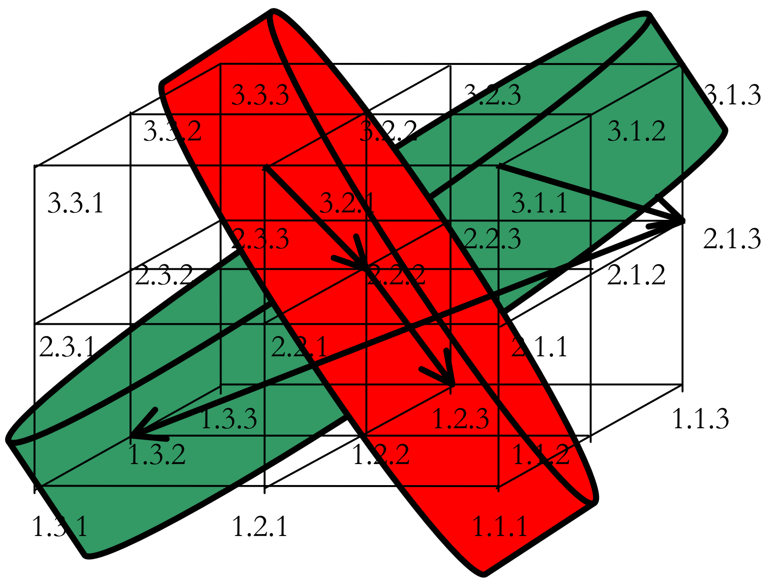
2.4. Transitionsklasse (3.1.1 2.1.3 1.3.2)

(3.1.1 2.1.3 1.3.2) → (3.1.1 2.1.2 1.1.3)
(3.1.1 2.1.3 1.3.2) → (3.2.1 2.2.2 1.2.3)
(3.1.1 2.1.3 1.3.2) → (3.2.3 2.2.2 1.2.1)
(3.1.1 2.1.3 1.3.2) → (3.3.3 2.3.2 1.3.1)
(3.1.1 2.1.3 1.3.2) → (3.3.1 2.3.2 1.3.3)

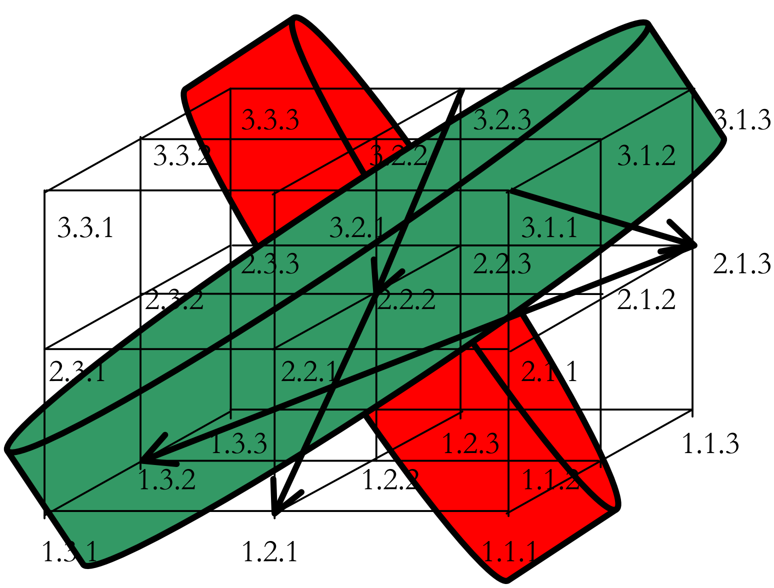
(3.1.1 2.1.3 1.3.2) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id1, βα], [α°, βα, β°]] → [[β°, id1, α], [α°, id1, β]]



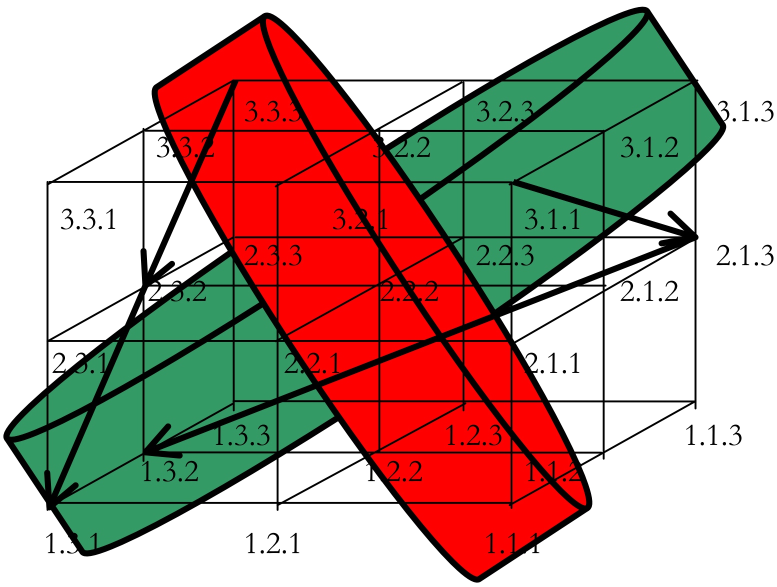
(3.1.1 2.1.3 1.3.2) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id1, βα], [α°, βα, β°]] → [[β°, id2, α], [α°, id2, β]]



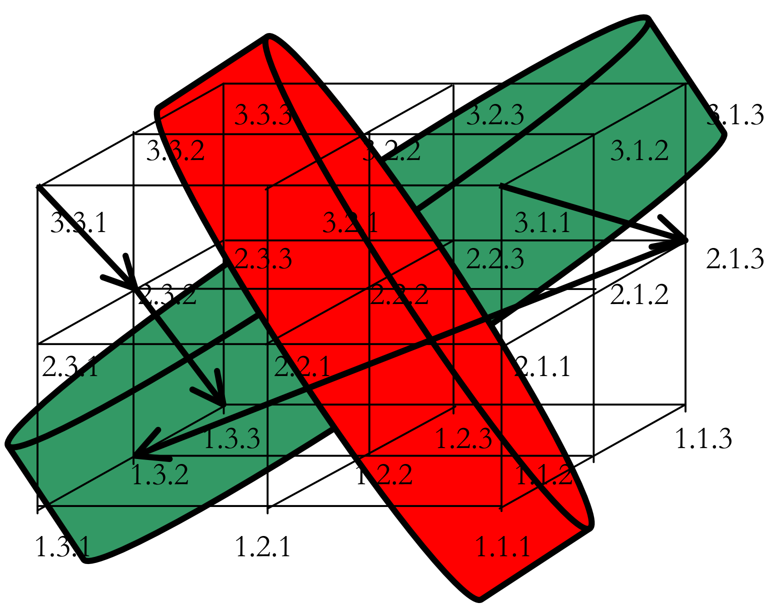
(3.1.1 2.1.3 1.3.2) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id1, βα], [α°, βα, β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.1.1 2.1.3 1.3.2) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id1, βα], [α°, βα, β°]] → [[β°, id3, β°], [α°, id3, α°]]



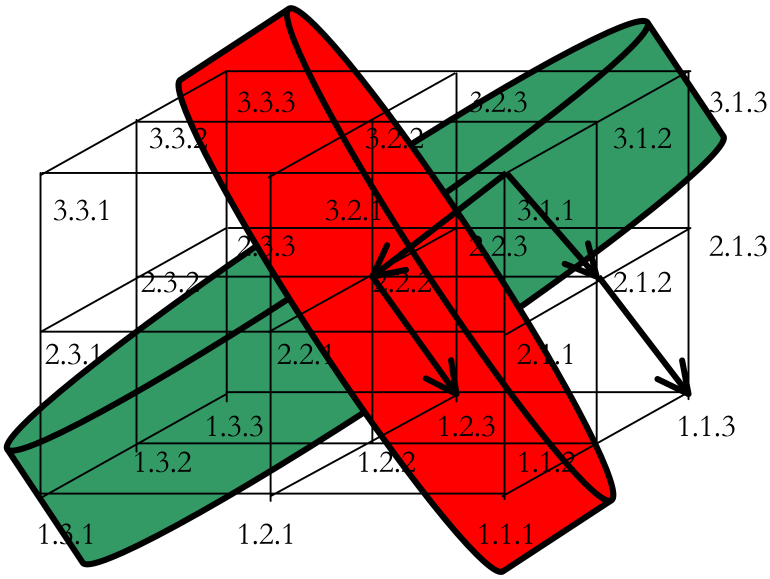
(3.1.1 2.1.3 1.3.2) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id1, βα], [α°, βα, β°]] → [[β°, id3, α], [α°, id3, β]]



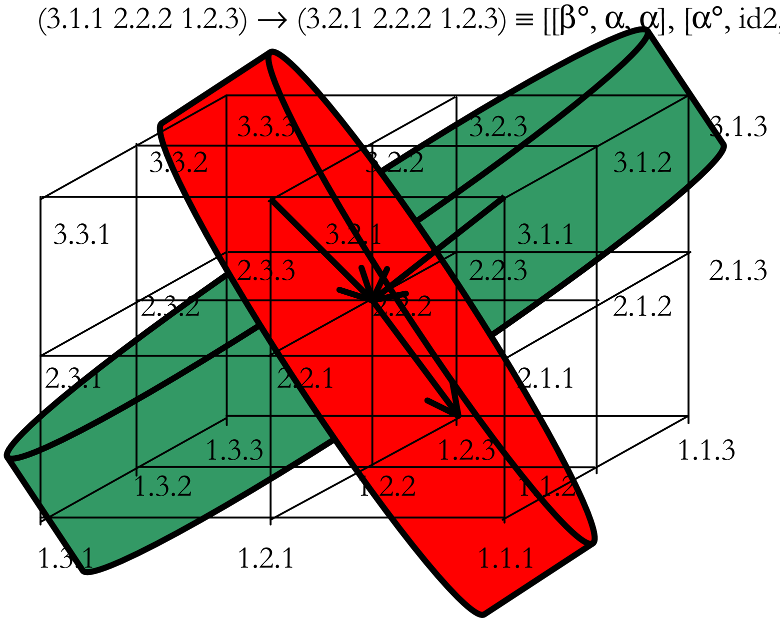
2.5. Transitionsklasse (3.1.1 2.2.2 1.2.3)

(3.1.1 2.2.2 1.2.3) → (3.1.1 2.1.2 1.1.3)
(3.1.1 2.2.2 1.2.3) → (3.2.1 2.2.2 1.2.3)
(3.1.1 2.2.2 1.2.3) → (3.2.3 2.2.2 1.2.1)
(3.1.1 2.2.2 1.2.3) → (3.3.3 2.3.2 1.3.1)
(3.1.1 2.2.2 1.2.3) → (3.3.1 2.3.2 1.3.3)

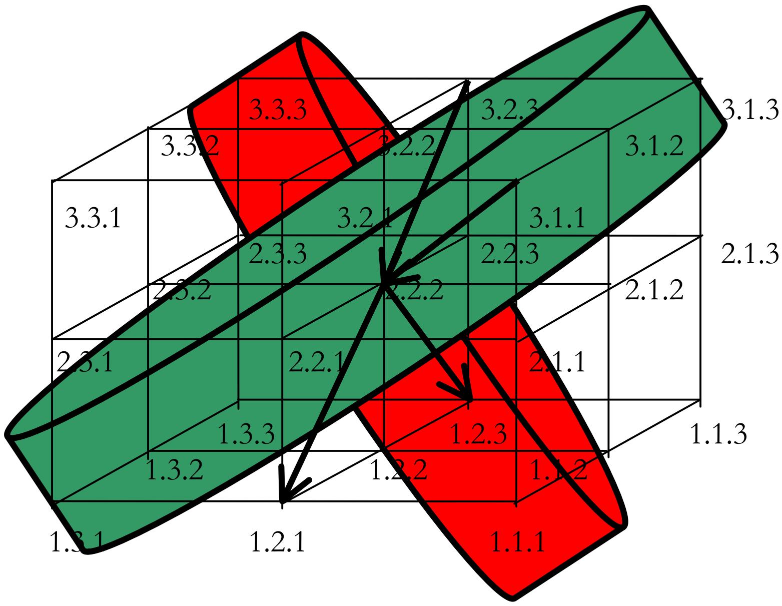
(3.1.1 2.2.2 1.2.3) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, α, α], [α°, id2, β]] → [[β°, id1, α], [α°, id1, β]]



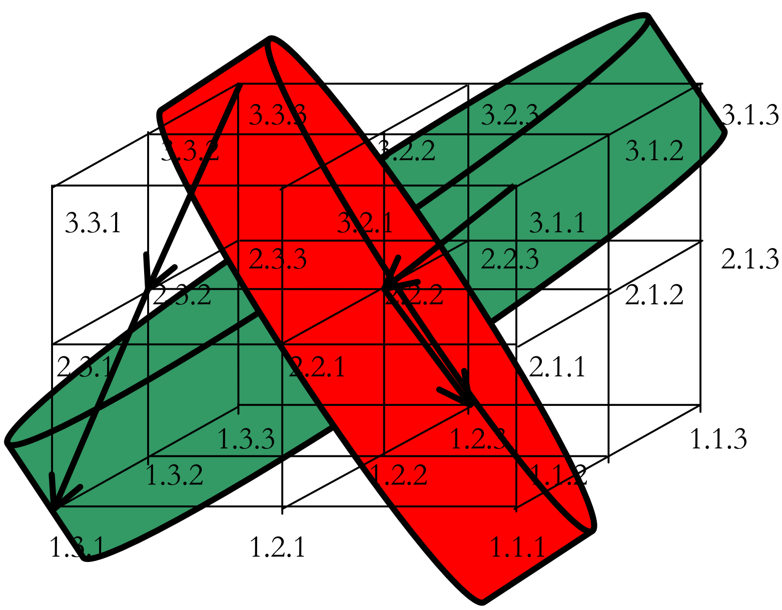
(3.1.1 2.2.2 1.2.3) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, α, α], [α°, id2, β]] → [[β°, id2, α], [α°, id2, β]]



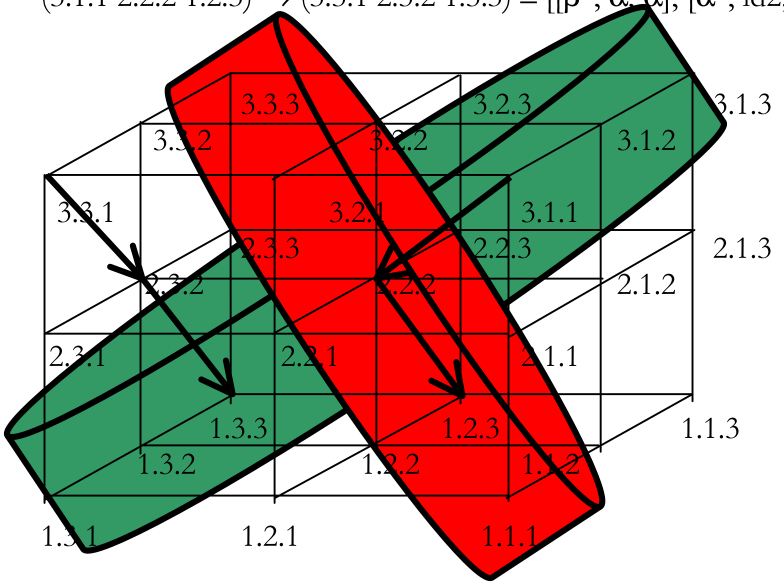
(3.1.1 2.2.2 1.2.3) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, α, α], [α°, id2, β]] → [[β°, id2, β°], [α°, id2, α°]]



(3.1.1 2.2.2 1.2.3) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, α, α], [α°, id2, β]] → [[β°, id3, β°], [α°, id3, α°]]



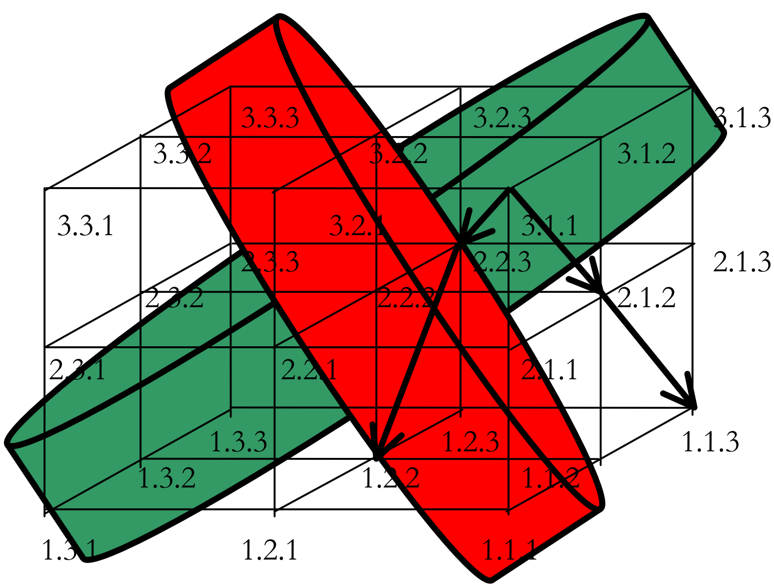
$(3.1.1\ 2.2.2\ 1.2.3) \rightarrow (3.3.1\ 2.3.2\ 1.3.3) \equiv [[\beta°, \alpha, \alpha], [\alpha°, \mathrm{id}2, \beta]] \rightarrow [[\beta°, \mathrm{id}3, \alpha], [\alpha°, \mathrm{id}3, \beta]]$



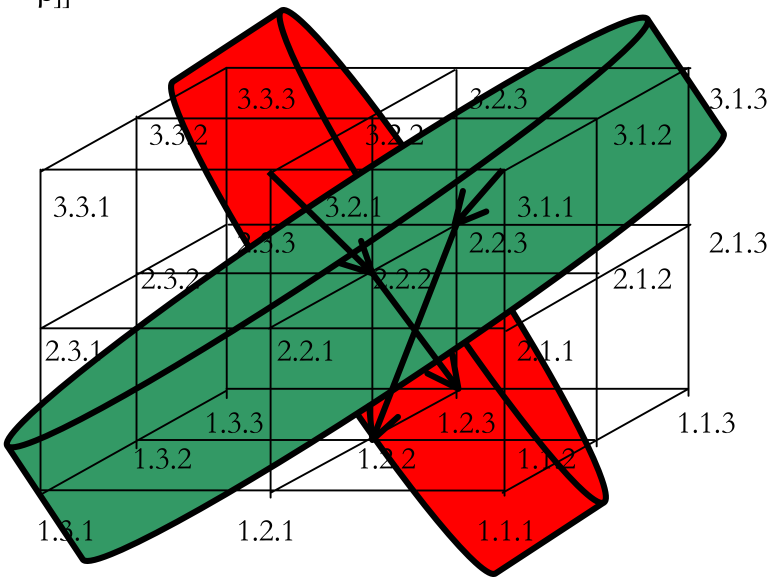
2.6. Transitionsklasse (3.1.1 2.2.3 1.2.2)

$$(3.1.1\ 2.2.3\ 1.2.2) \rightarrow \begin{cases} (3.1.1\ 2.1.2\ 1.1.3) \\ (3.2.1\ 2.2.2\ 1.2.3) \\ (3.2.3\ 2.2.2\ 1.2.1) \\ (3.3.3\ 2.3.2\ 1.3.1) \\ (3.3.1\ 2.3.2\ 1.3.3) \end{cases}$$

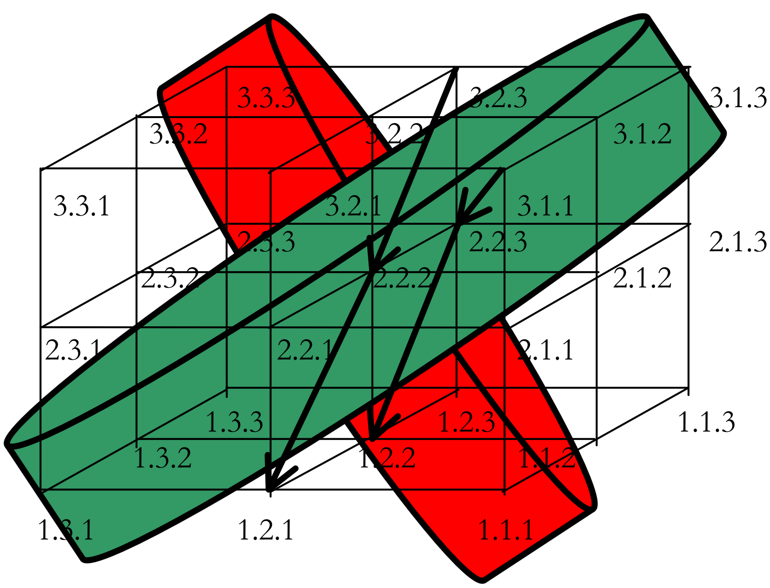
$(3.1.1\ 2.2.3\ 1.2.2) \rightarrow (3.1.1\ 2.1.2\ 1.1.3) \equiv [[\beta°, \alpha, \beta\alpha], [\alpha°, \mathrm{id}2, \beta°]]$



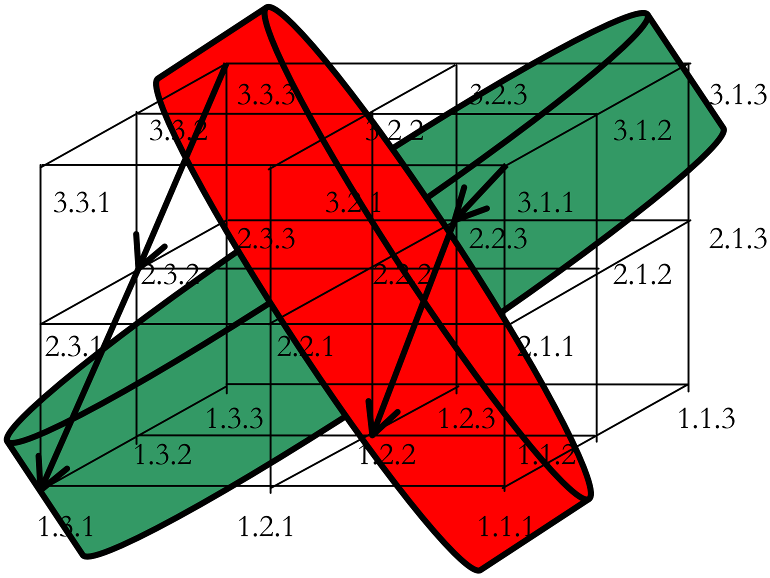
(3.1.1 2.2.3 1.2.2) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, α, βα], [α°, id2, β°]] → [[β°, id2, α], [α°, id2, β]]



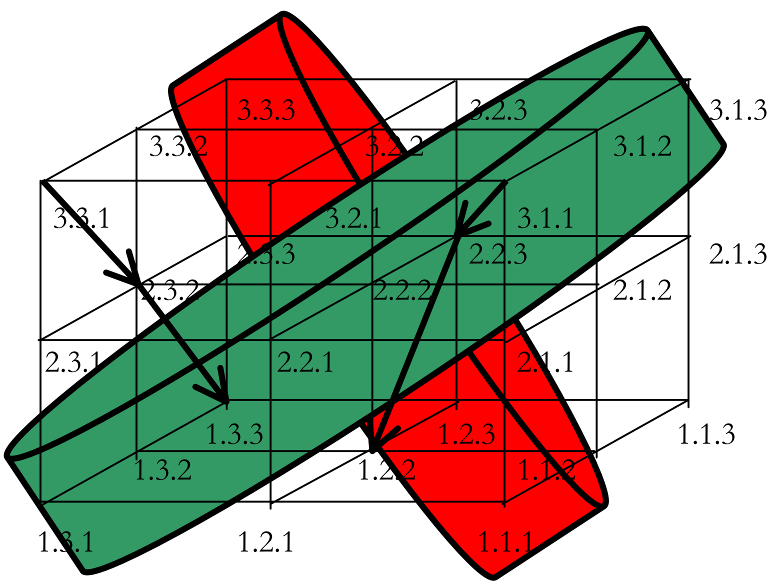
(3.1.1 2.2.3 1.2.2) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, α, βα], [α°, id2, β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.1.1 2.2.3 1.2.2) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, α, βα], [α°, id2, β°]] → [[β°, id3, β°], [α°, id3, α°]]



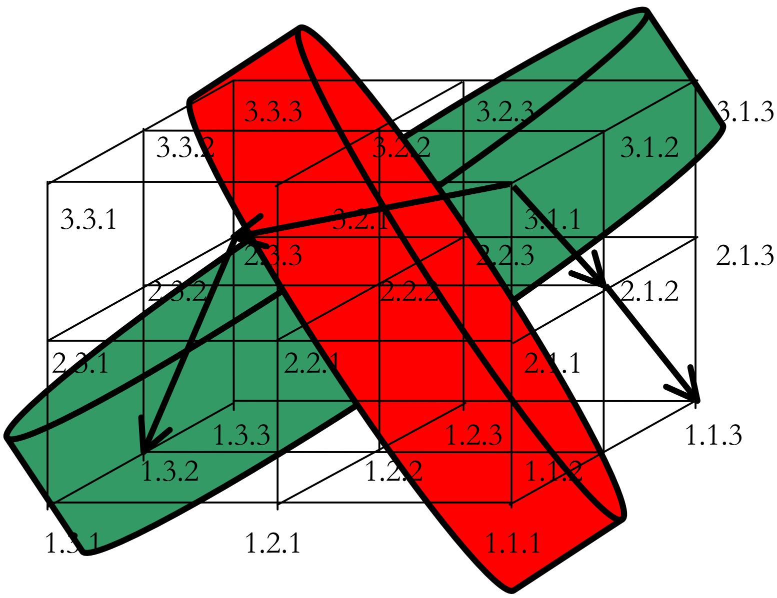
(3.1.1 2.2.3 1.2.2) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, α, βα], [α°, id2, β°]] → [[β°, id3 α], [α°, id3, β]]



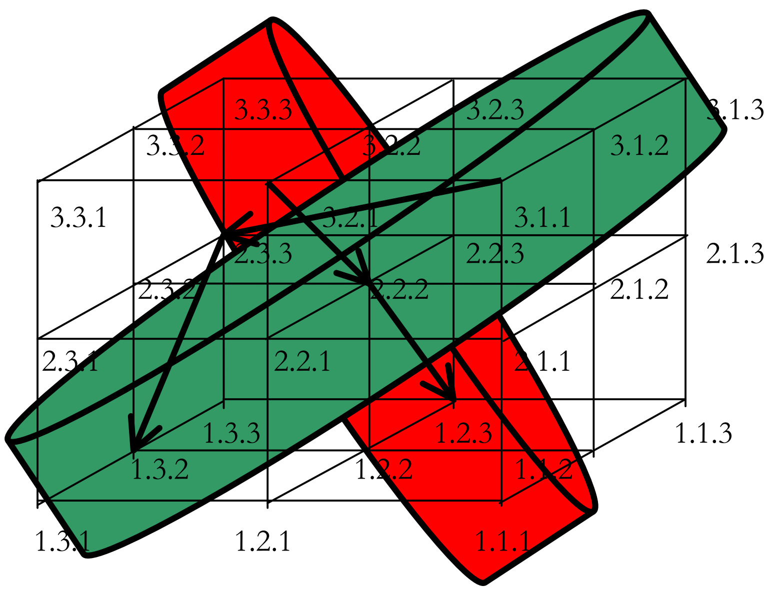
2.7. Transitionsklasse (3.1.1 2.3.3 1.3.2)

(3.1.1 2.3.3 1.3.2) → (3.1.1 2.1.2 1.1.3)
(3.1.1 2.3.3 1.3.2) → (3.2.1 2.2.2 1.2.3)
(3.1.1 2.3.3 1.3.2) → (3.2.3 2.2.2 1.2.1)
(3.1.1 2.3.3 1.3.2) → (3.3.3 2.3.2 1.3.1)
(3.1.1 2.3.3 1.3.2) → (3.3.1 2.3.2 1.3.3)

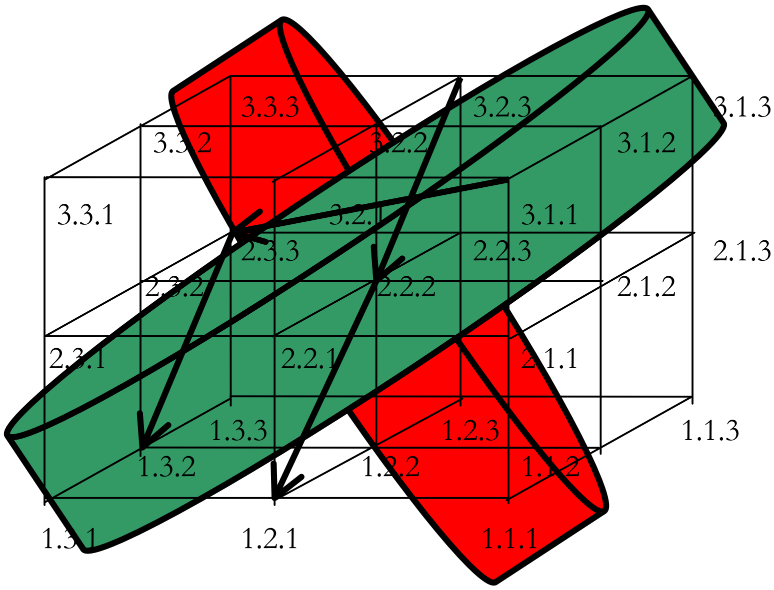
(3.1.1 2.3.3 1.3.2) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, α, βα], [α°, id3, β°]] → [[β°, id1, α], [α°, id1, β]]



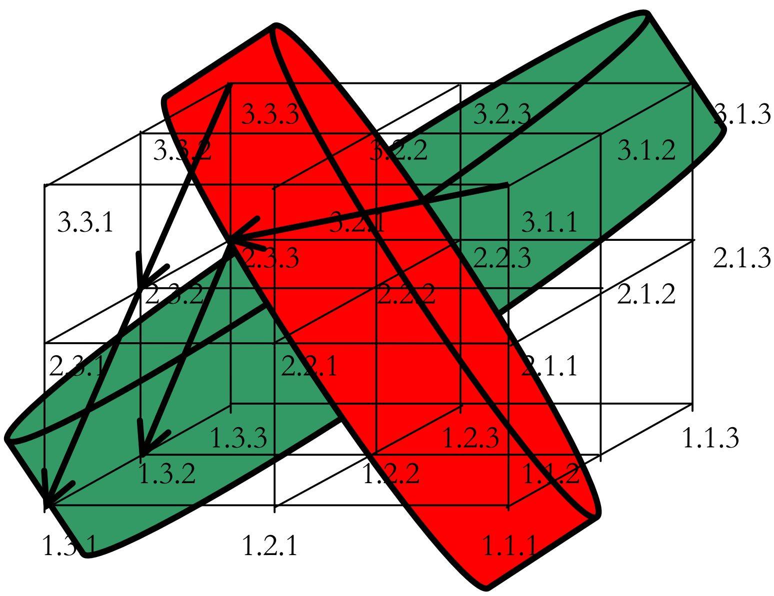
(3.1.1 2.3.3 1.3.2) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, βα, βα], [α°, id3, β°]] → [[β°, id2, α], [α°, id2, β]]



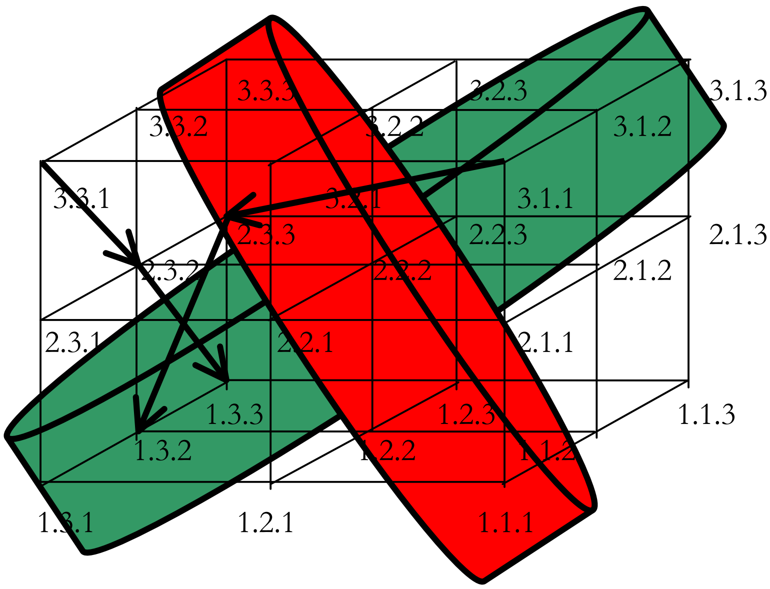
(3.1.1 2.3.3 1.3.2) → (3.2.3 2.2.2 1.2.1) ≡[[β°, βα, βα], [α°, id3, β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.1.1 2.3.3 1.3.2) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, βα, βα], [α°, id3, β°]] → [[β°, id3, β°], [α°, id3, α°]]



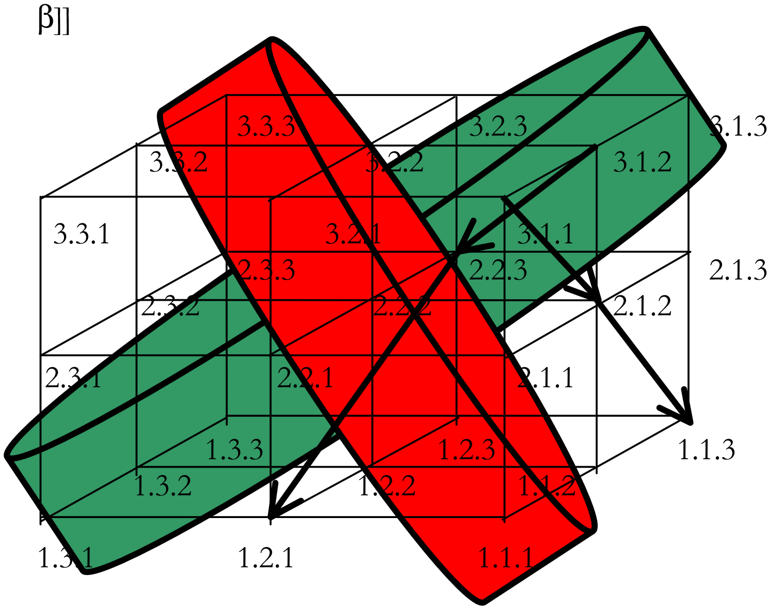
(3.1.1 2.3.3 1.3.2) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, βα, βα], [α°, id3, β°]] → [[β°, id3, α], [α°, id3, β]]



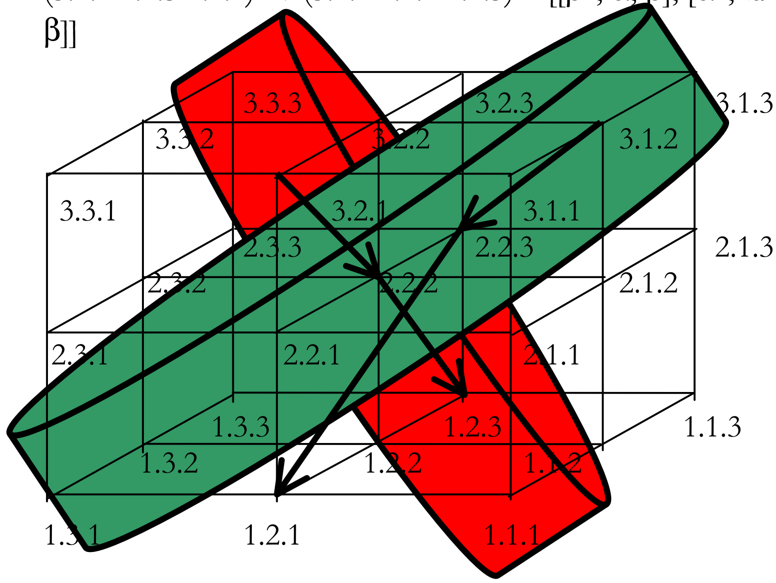
2.8. Transitionsklasse (3.1.2 2.2.3 1.2.1)

(3.1.2 2.2.3 1.2.1) → (3.1.1 2.1.2 1.1.3)
(3.1.2 2.2.3 1.2.1) → (3.2.1 2.2.2 1.2.3)
(3.1.2 2.2.3 1.2.1) → (3.2.3 2.2.2 1.2.1)
(3.1.2 2.2.3 1.2.1) → (3.3.3 2.3.2 1.3.1)
(3.1.2 2.2.3 1.2.1) → (3.3.1 2.3.2 1.3.3)

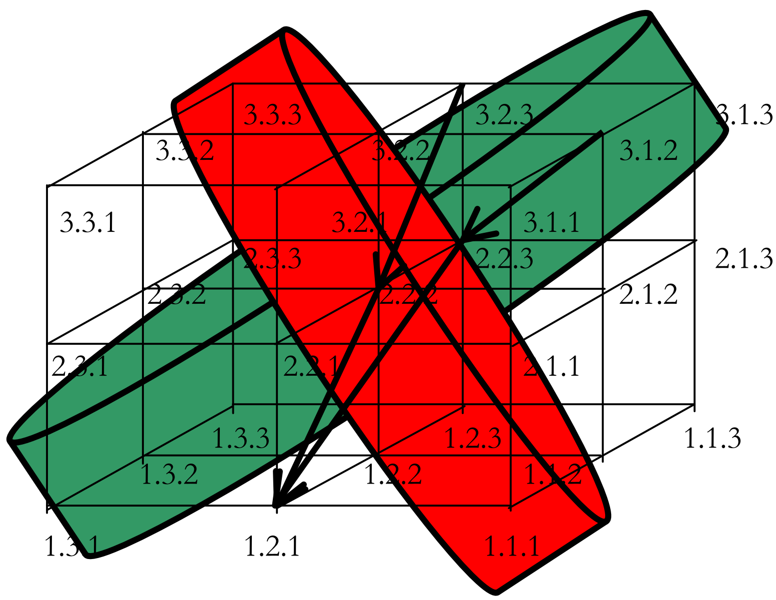
(3.1.2 2.2.3 1.2.1) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, α, β], [α°, id2, α°β°]] → [[β°, id1, α], [α°, id1, β]]



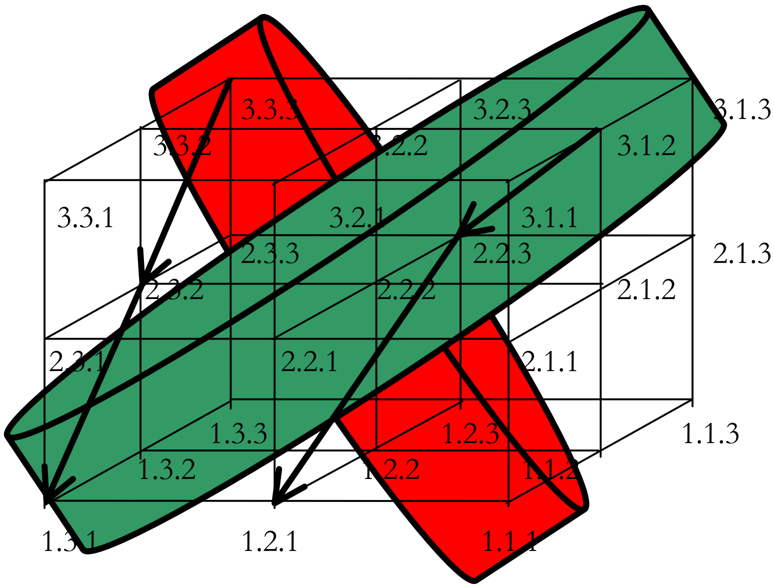
(3.1.2 2.2.3 1.2.1) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, α, β], [α°, id2, α°β°]] → [[β°, id2, α], [α°, id2, β]]



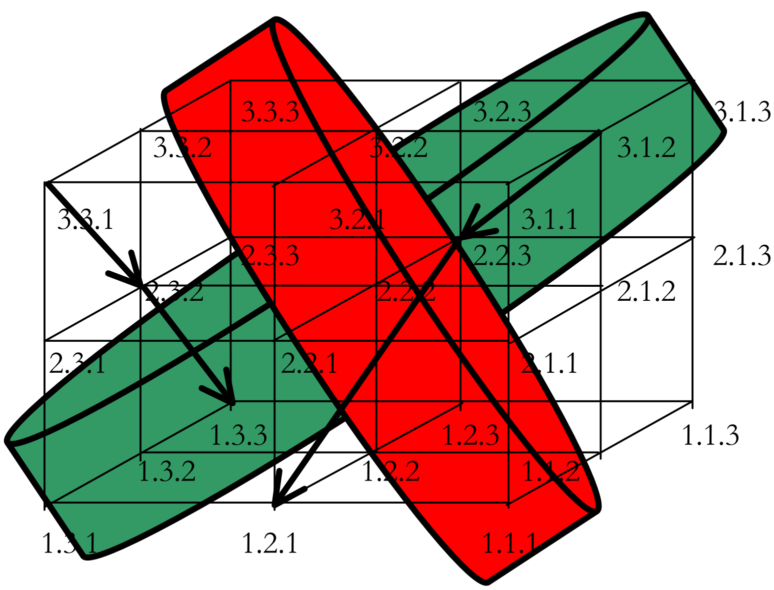
(3.1.2 2.2.3 1.2.1) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, α, β], [α°, id2, α°β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.1.2 2.2.3 1.2.1) → (3.3.3 2.3.2 1.3.1) ≡ $[[\beta^\circ, \alpha, \beta], [\alpha^\circ, id2, \alpha^\circ\beta^\circ]] \rightarrow [[\beta^\circ, id3, \beta^\circ], [\alpha^\circ, id3, \alpha^\circ]]$



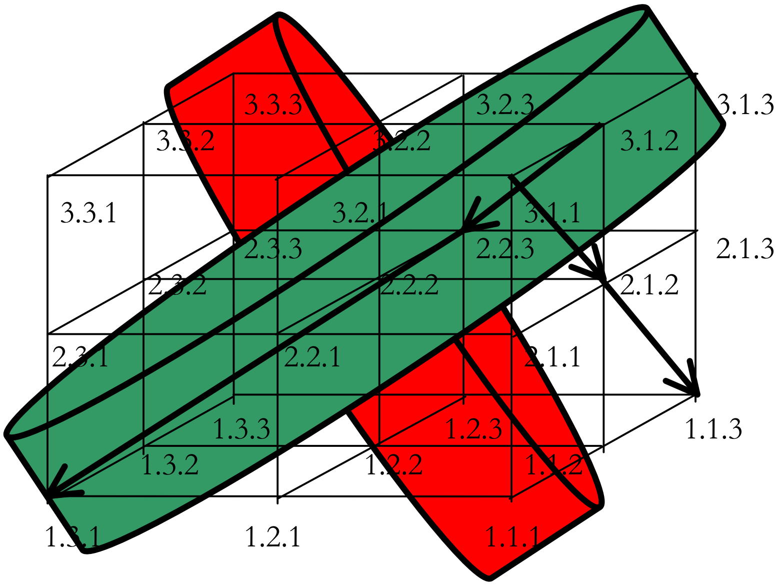
(3.1.2 2.2.3 1.2.1) → (3.3.1 2.3.2 1.3.3) ≡ $[[\beta^\circ, \alpha, \beta], [\alpha^\circ, id2, \alpha^\circ\beta^\circ]] \rightarrow [[\beta^\circ, id3, \alpha], [\alpha^\circ, id3, \beta]]$



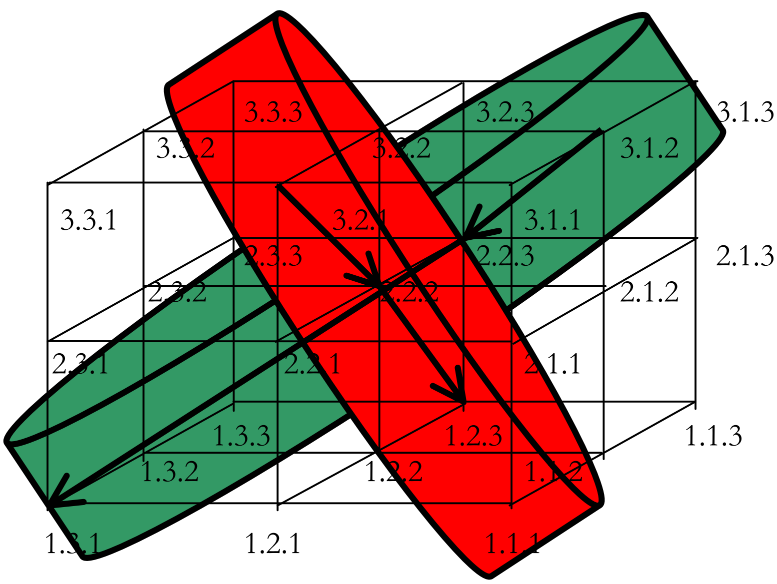
2.9. Transitionsklasse (3.1.2 2.2.3 1.3.1)

(3.1.2 2.2.3 1.3.1) → (3.1.1 2.1.2 1.1.3)
(3.1.2 2.2.3 1.3.1) → (3.2.1 2.2.2 1.2.3)
(3.1.2 2.2.3 1.3.1) → (3.2.3 2.2.2 1.2.1)
(3.1.2 2.2.3 1.3.1) → (3.3.3 2.3.2 1.3.1)
(3.1.2 2.2.3 1.3.1) → (3.3.1 2.3.2 1.3.3)

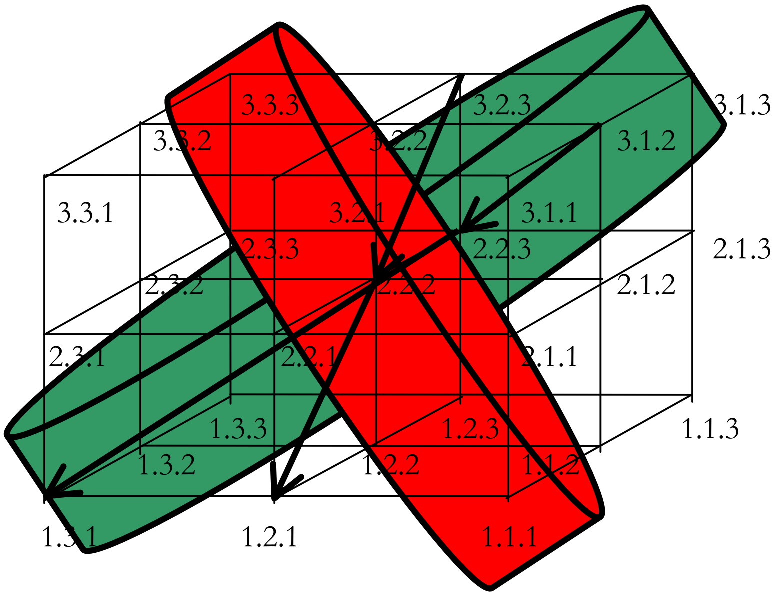
(3.1.2 2.2.3 1.3.1) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, α, β], [α°, β, α°β°]] → [[β°, id1, α], [α°, id1, β]]



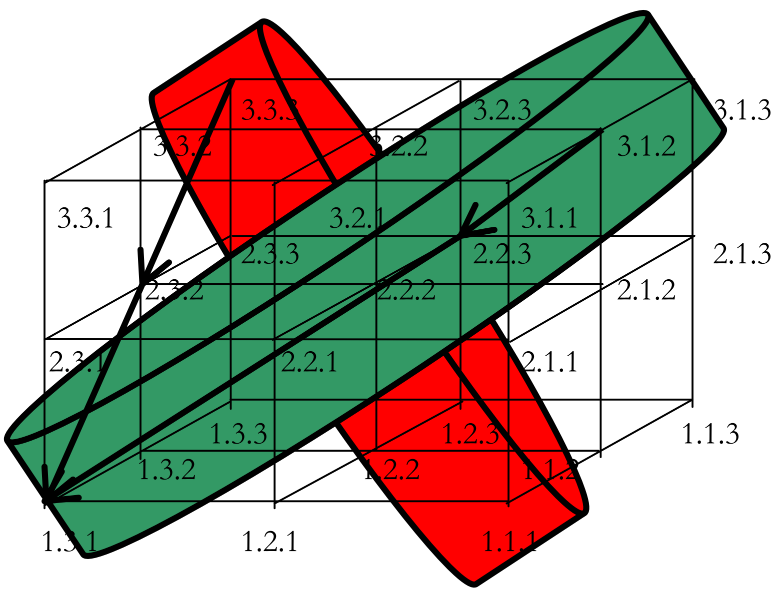
(3.1.2 2.2.3 1.3.1) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, α, β], [α°, β, α°β°]] → [[β°, id2, α], [α°, id2, β]]



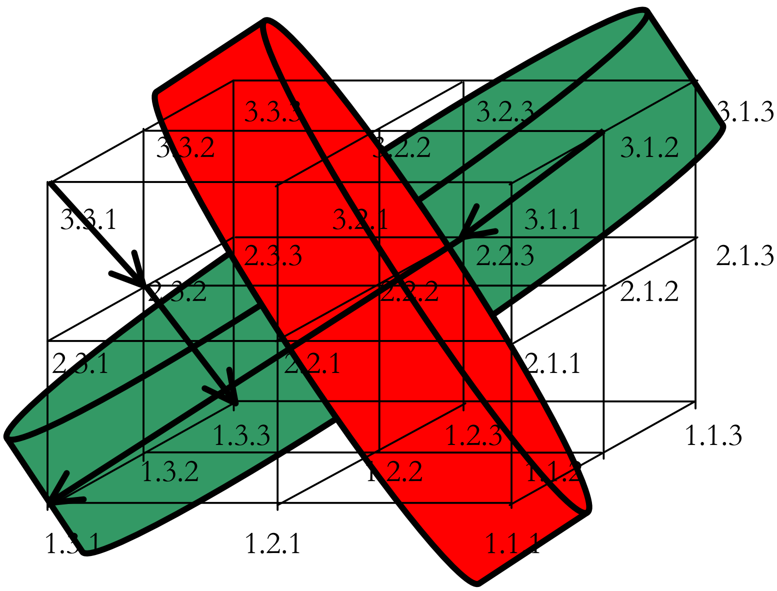
$(3.1.2\ 2.2.3\ 1.3.1) \rightarrow (3.2.3\ 2.2.2\ 1.2.1) \equiv [[\beta°, \alpha, \beta], [\alpha°, \beta, \alpha°\beta°]] \rightarrow [[\beta°, id2, \beta°], [\alpha°, id2, \alpha°]]$



$(3.1.2\ 2.2.3\ 1.3.1) \rightarrow (3.3.3\ 2.3.2\ 1.3.1) \equiv [[\beta°, \alpha, \beta], [\alpha°, \beta, \alpha°\beta°]] \rightarrow [[\beta°, id3, \beta°], [\alpha°, id3, \alpha°]]$



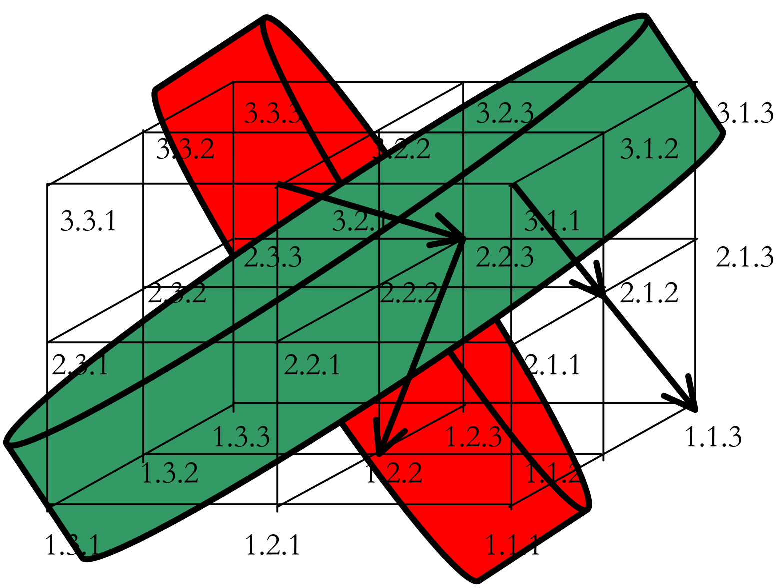
(3.1.2 2.2.3 1.3.1) $\rightarrow$ (3.3.1 2.3.2 1.3.3) $\equiv$ [[$\beta°$, α, β], [$\alpha°$, β, $\alpha°\beta°$]] $\rightarrow$ [[$\beta°$, id3, α], [$\alpha°$, id3, β]]



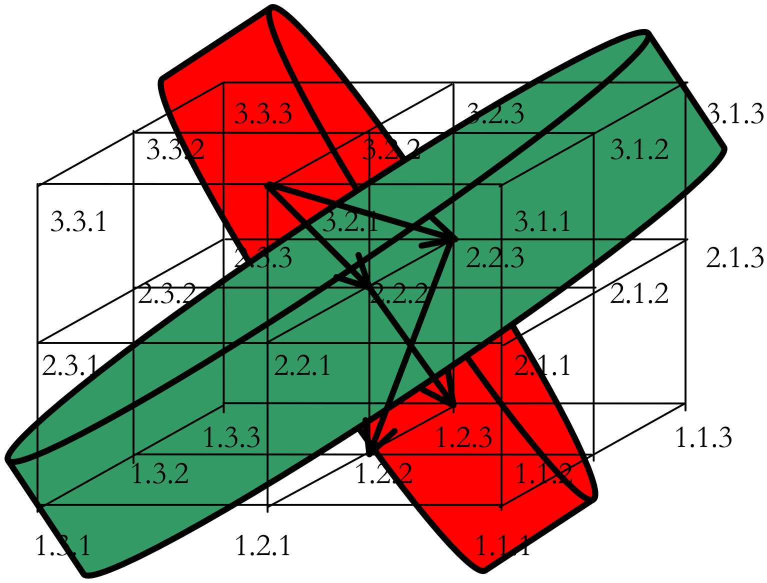
2.10. Transitionsklasse (3.2.1 2.2.3 1.2.2)

(3.2.1 2.2.3 1.2.2) $\rightarrow$ (3.1.1 2.1.2 1.1.3)
(3.2.1 2.2.3 1.2.2) $\rightarrow$ (3.2.1 2.2.2 1.2.3)
(3.2.1 2.2.3 1.2.2) $\rightarrow$ (3.2.3 2.2.2 1.2.1)
(3.2.1 2.2.3 1.2.2) $\rightarrow$ (3.3.3 2.3.2 1.3.1)
(3.2.1 2.2.3 1.2.2) $\rightarrow$ (3.3.1 2.3.2 1.3.3)

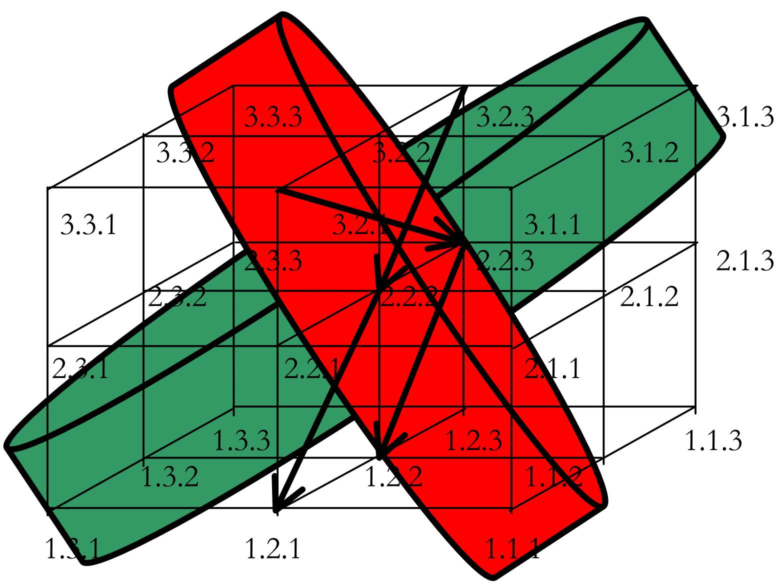
(3.2.1 2.2.3 1.2.2) $\rightarrow$ (3.1.1 2.1.2 1.1.3) $\equiv$ [[$\beta°$, id2, $\beta\alpha$], [$\alpha°$, id2, $\beta°$]] $\rightarrow$ [[$\beta°$, id1, α], [$\alpha°$, id1, β]]



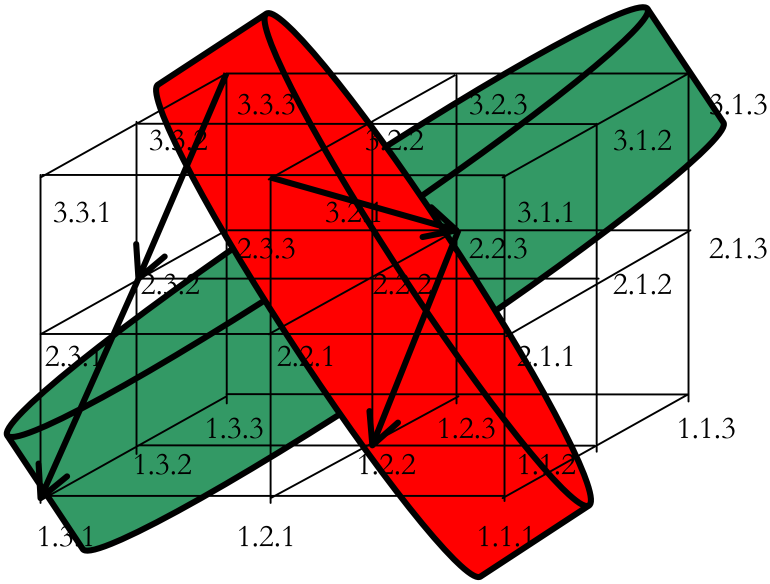
(3.2.1 2.2.3 1.2.2) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id2, βα], [α°, id2, β°]] → [[β°, id2, α], [α°, id2, β]]



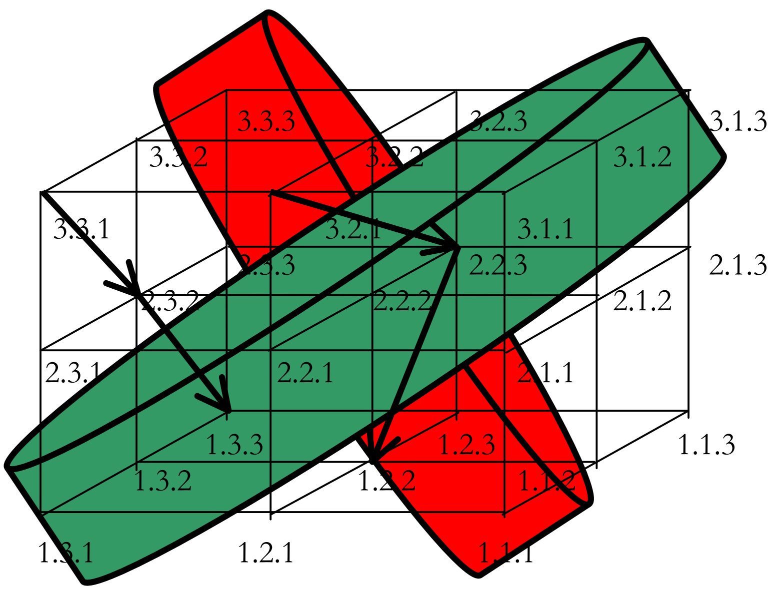
(3.2.1 2.2.3 1.2.2) → (3.2.3 2.2.2 1.2.1) ≡ [β°, id2, βα], [α°, id2, β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.2.1 2.2.3 1.2.2) → (3.3.3 2.3.2 1.3.1) ≡ $[[\beta^\circ, id2, \beta\alpha], [\alpha^\circ, id2, \beta^\circ]] \rightarrow [[\beta^\circ, id3, \beta^\circ], [\alpha^\circ, id3, \alpha^\circ]]$



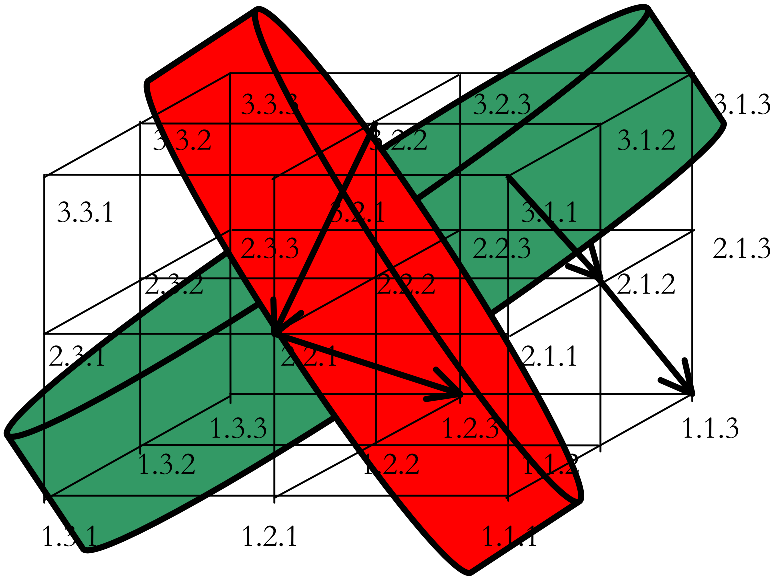
(3.2.1 2.2.3 1.2.2) → (3.3.1 2.3.2 1.3.3) ≡ $[[\beta^\circ, id2, \beta\alpha], [\alpha^\circ, id2, \beta^\circ]] \rightarrow [[\beta^\circ, id3, \alpha], [\alpha^\circ, id3, \beta]]$



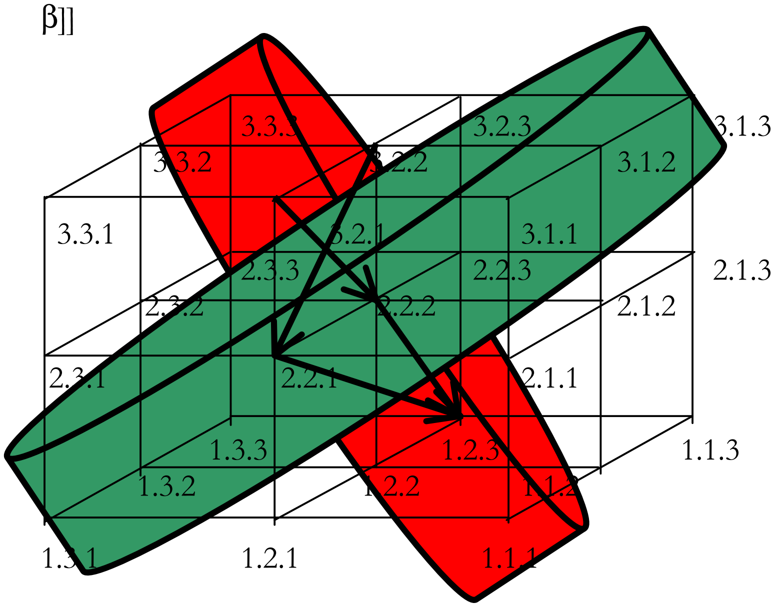
2.11. Transitionsklasse (3.2.2 2.2.1 1.2.3)

(3.2.2 2.2.1 1.2.3) → (3.1.1 2.1.2 1.1.3)
(3.2.2 2.2.1 1.2.3) → (3.2.1 2.2.2 1.2.3)
(3.2.2 2.2.1 1.2.3) → (3.2.3 2.2.2 1.2.1)
(3.2.2 2.2.1 1.2.3) → (3.3.3 2.3.2 1.3.1)
(3.2.2 2.2.1 1.2.3) → (3.3.1 2.3.2 1.3.3)

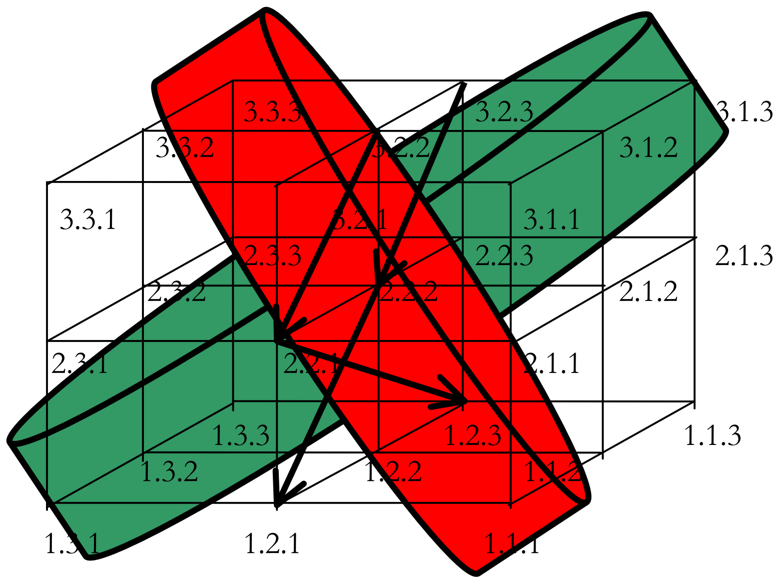
(3.2.2 2.2.1 1.2.3) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id2, α°], [α°, id2, βα]] → [[β°, id1, α], [α°, id1, β]]



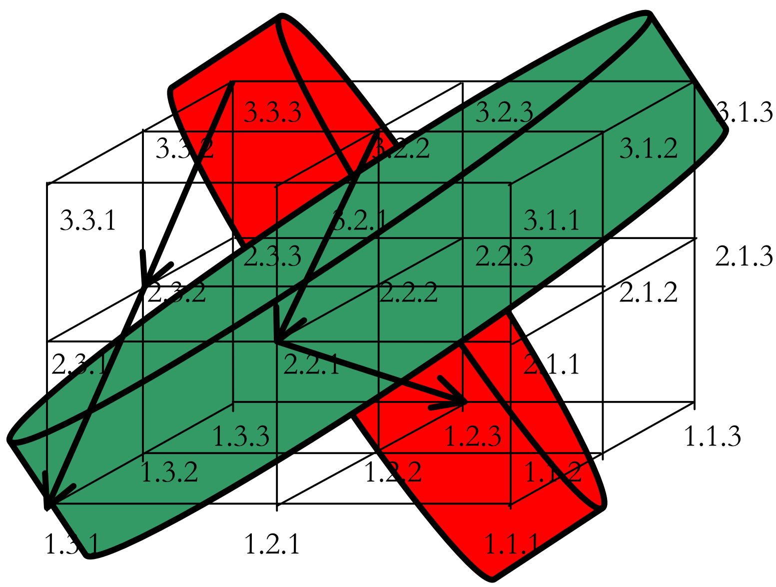
(3.2.2 2.2.1 1.2.3) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id2, α°], [α°, id2, βα]] → [[β°, id2, α], [α°, id2, β]]



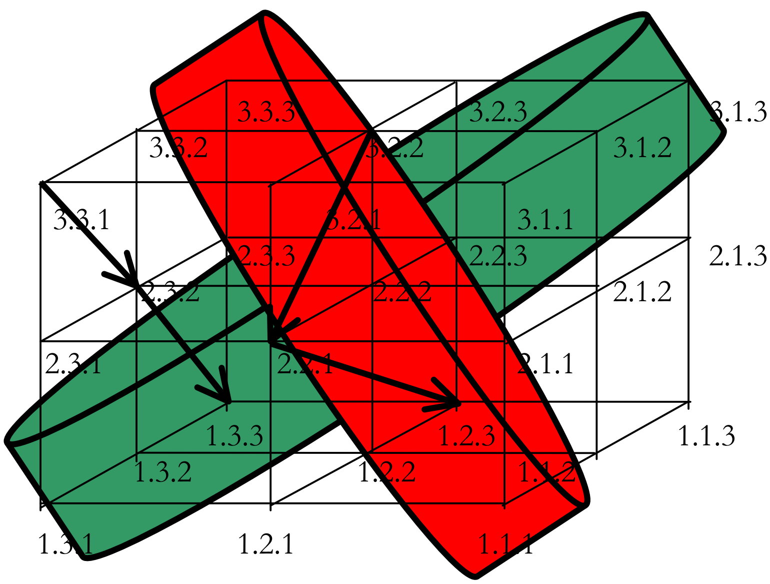
(3.2.2 2.2.1 1.2.3) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id2, α°], [α°, id2, βα]] → [[β°, id2, β°], [α°, id2, α°]]



(3.2.2 2.2.1 1.2.3) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id2, α°], [α°, id2, βα]] → [[β°, id3, β°], [α°, id3, α°]]



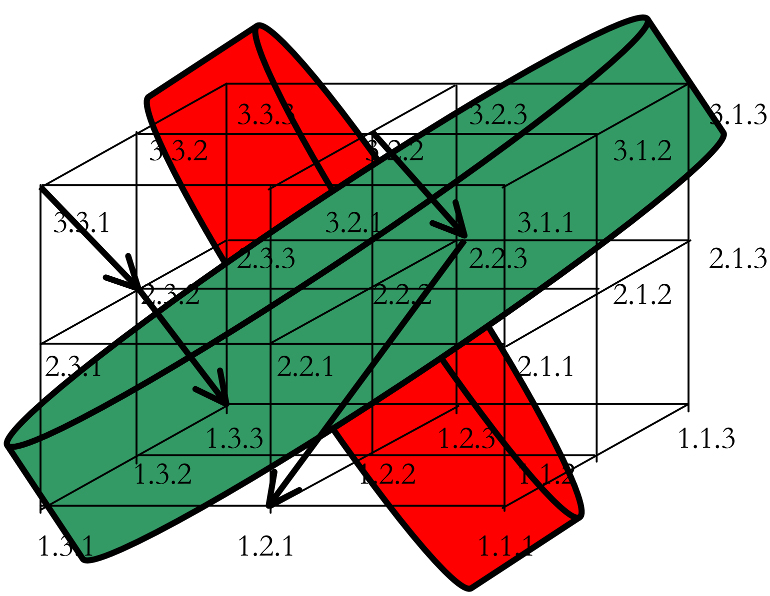
(3.2.2 2.2.1 1.2.3) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id2, α°], [α°, id2, βα]] → [[β°, id3, α], [α°, id3, β]]



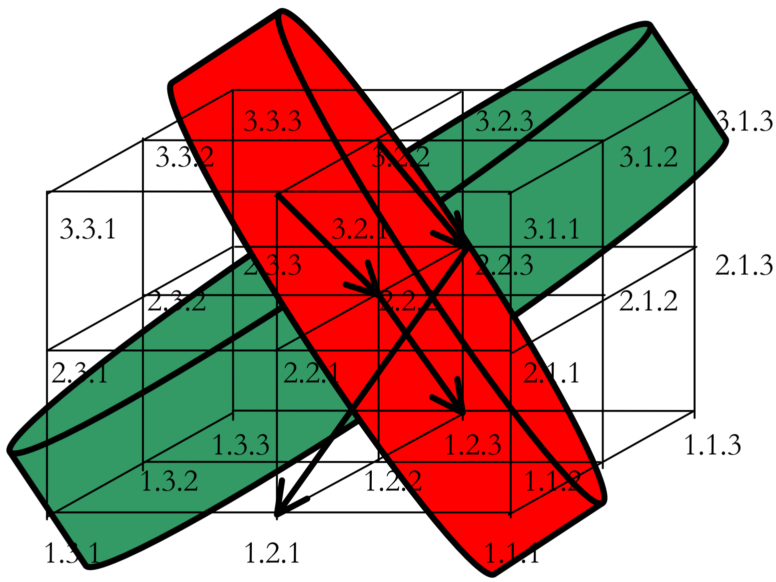
2.12. Transitionsklasse (3.2.2 2.2.3 1.2.1)

(3.2.2 2.2.3 1.2.1) → (3.1.1 2.1.2 1.1.3)
(3.2.2 2.2.3 1.2.1) → (3.2.1 2.2.2 1.2.3)
(3.2.2 2.2.3 1.2.1) → (3.2.3 2.2.2 1.2.1)
(3.2.2 2.2.3 1.2.1) → (3.3.3 2.3.2 1.3.1)
(3.2.2 2.2.3 1.2.1) → (3.3.1 2.3.2 1.3.3)

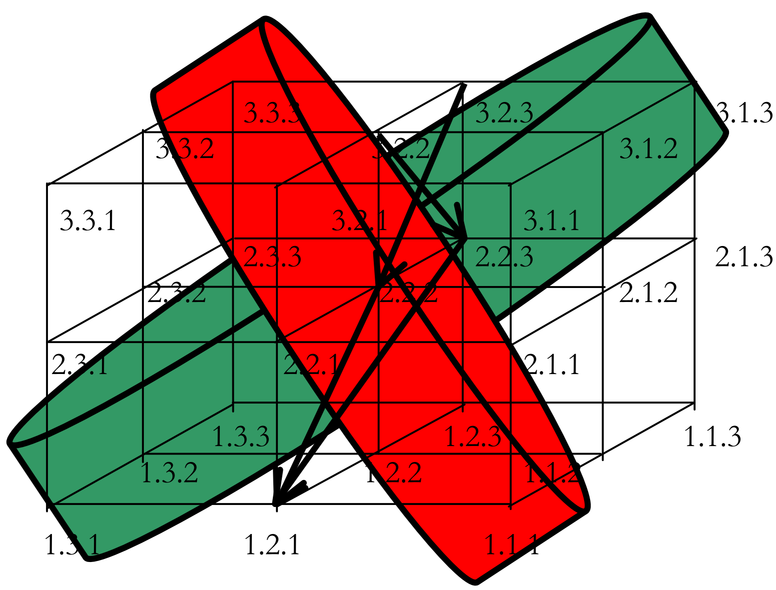
(3.2.2 2.2.3 1.2.1) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id2, β], [α°, id2, α°β°]] → [[β°, id1, α], [α°, id1, β]]



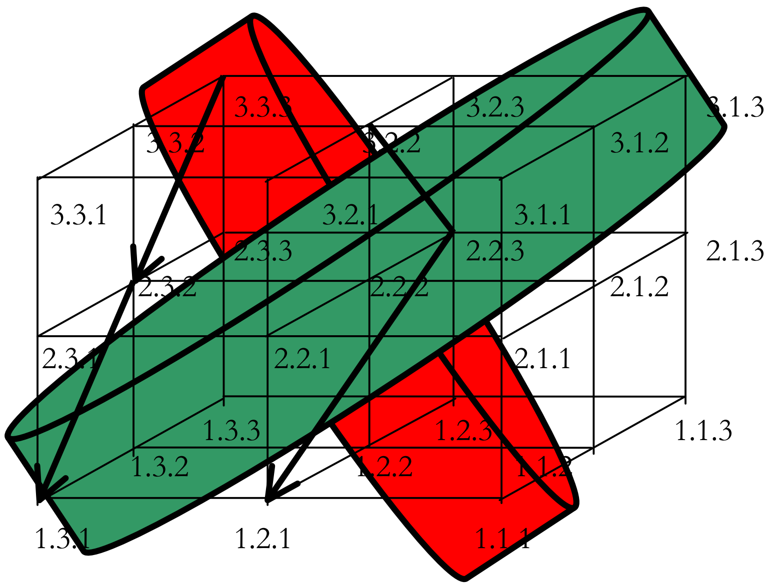
(3.2.2 2.2.3 1.2.1) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id2. β], [α°, id2, α°β°]] → [[β°, id2, α], [α°, id2, β]]



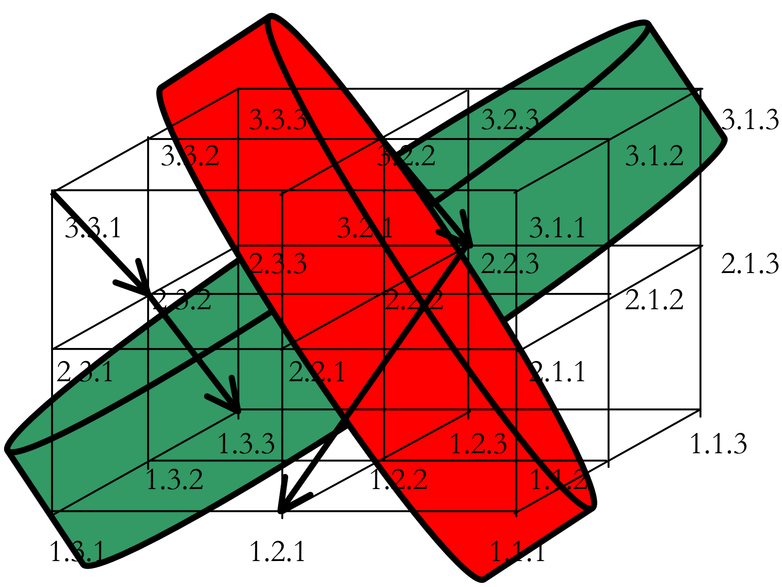
(3.2.2 2.2.3 1.2.1) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id2, β], [α°, id2, α°β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.2.2 2.2.3 1.2.1) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id2, β], [α°, id2, α°β°]] → [[β°, id3, β°], [α°, id3, α°]]



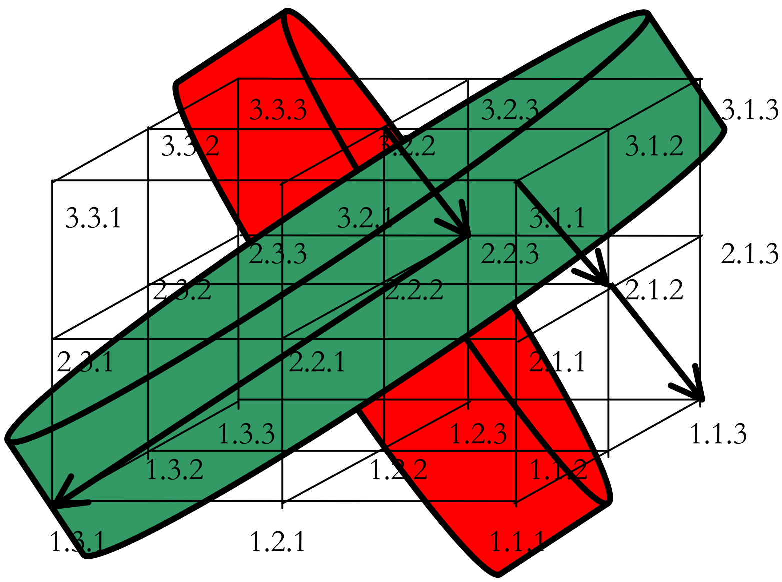
(3.2.2 2.2.3 1.2.1) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id2, β], [α°, id2, β]] → [[β°, id3, α], [α°, id3, β]]



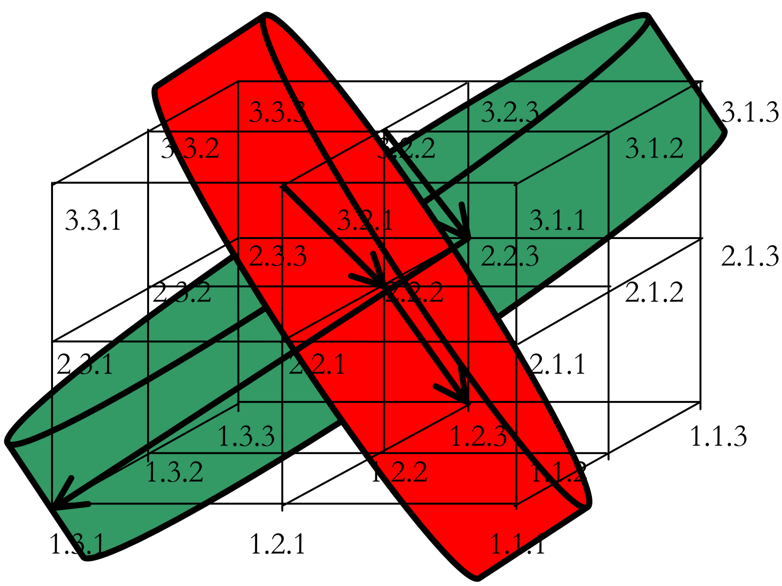
2.13. Transitionsklasse (3.2.2 2.2.3 1.3.1)

(3.2.2 2.2.3 1.3.1) → (3.1.1 2.1.2 1.1.3)
(3.2.2 2.2.3 1.3.1) → (3.2.1 2.2.2 1.2.3)
(3.2.2 2.2.3 1.3.1) → (3.2.3 2.2.2 1.2.1)
(3.2.2 2.2.3 1.3.1) → (3.3.3 2.3.2 1.3.1)
(3.2.2 2.2.3 1.3.1) → (3.3.1 2.3.2 1.3.3)

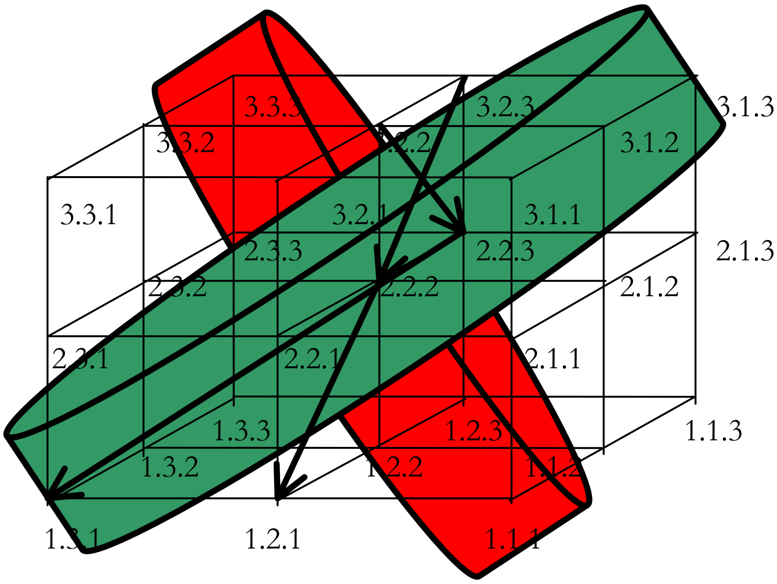
(3.2.2 2.2.3 1.3.1) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id2, β], [α°, β, α°β°]] → [[β°, id1, α], [α°, id1, β]]



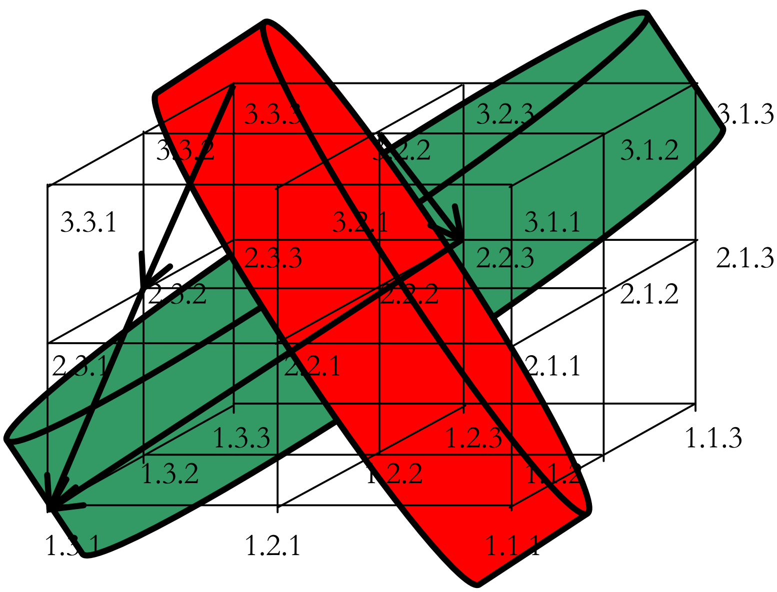
(3.2.2 2.2.3 1.3.1) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id2, β], [α°, β, α°β°]] → [[β°, id2, α], [α°, id2, β]]



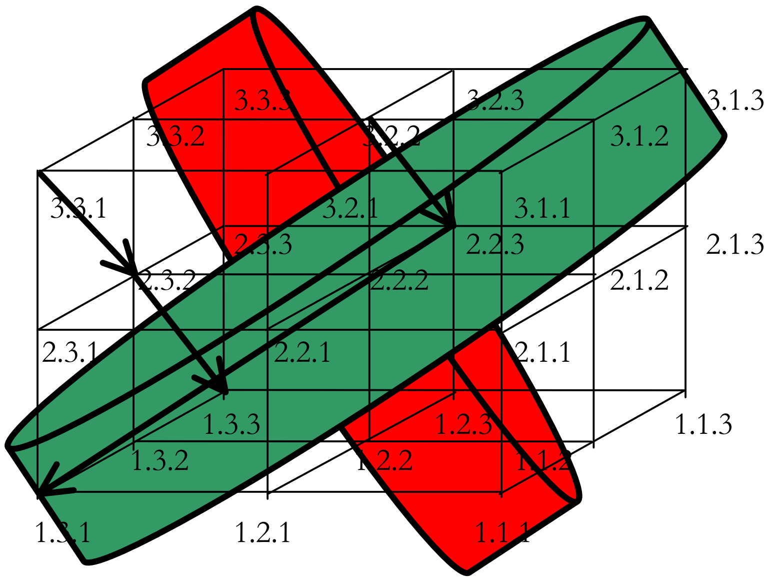
(3.2.2 2.2.3 1.3.1) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id2, β], [α°, β, α°β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.2.2 2.2.3 1.3.1) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id2, β], [α°, β, α°β°]] → [[β°, id3, β°], [α°, id3, α°]]



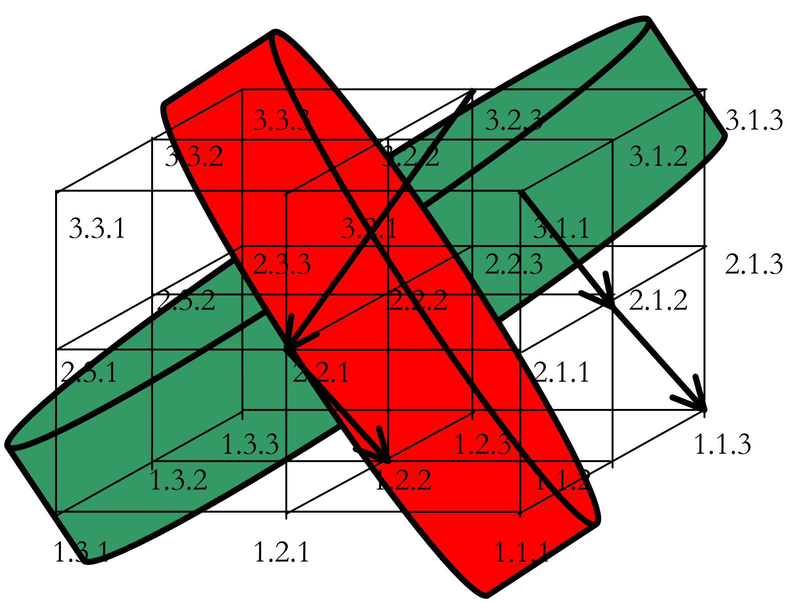
(3.2.2 2.2.3 1.3.1) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id2, β], [α°, β, α°β°]] → [[β°, id3, α], [α°, id3, β]]



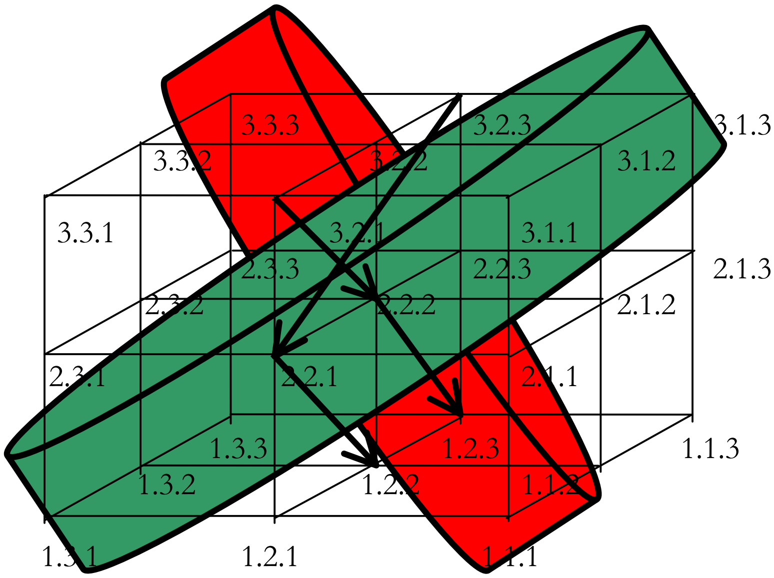
2.14. Transitionsklasse (3.2.3 2.2.1 1.2.2)

(3.2.3 2.2.1 1.2.2) → (3.1.1 2.1.2 1.1.3)
(3.2.3 2.2.1 1.2.2) → (3.2.1 2.2.2 1.2.3)
(3.2.3 2.2.1 1.2.2) → (3.2.3 2.2.2 1.2.1)
(3.2.3 2.2.1 1.2.2) → (3.3.3 2.3.2 1.3.1)
(3.2.3 2.2.1 1.2.2) → (3.3.1 2.3.2 1.3.3)

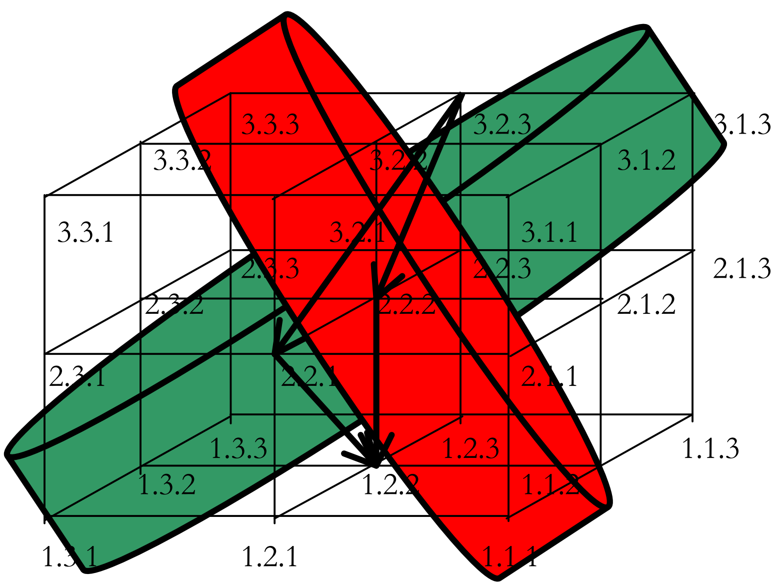
(3.2.3 2.2.1 1.2.2) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id2, α°β°], [α°, id2, α]] → [[β°, id1, α], [α°, id1, β]]



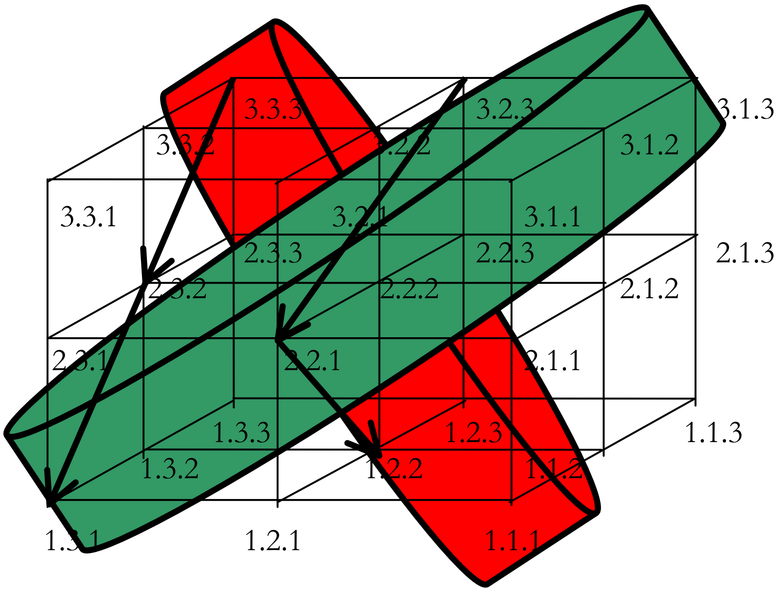
(3.2.3 2.2.1 1.2.2) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id2, α°β°], [α°, id2, α]] → [[β°, id2, α], [α°, id2, β]]



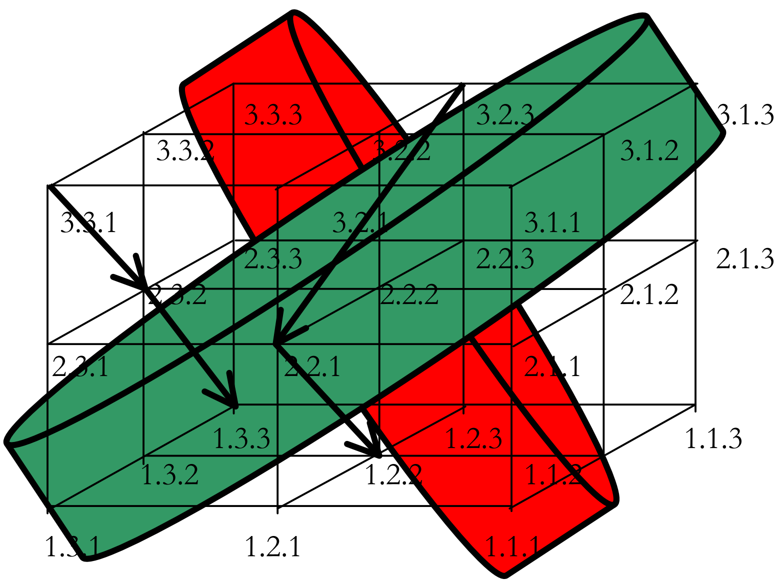
(3.2.3 2.2.1 1.2.2) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id2, α°β°], [α°, id2, α]] → [[β°, id2, β°], [α°, id2, α°]]



(3.2.3 2.2.1 1.2.2) → (3.3.3 2.3.2 1.3.1) ≡ $[[\beta°, id2, \alpha°\beta°], [\alpha°, id2, \alpha]] \rightarrow [[\beta°, id3, \beta°], [\alpha°, id3, \alpha°]]$



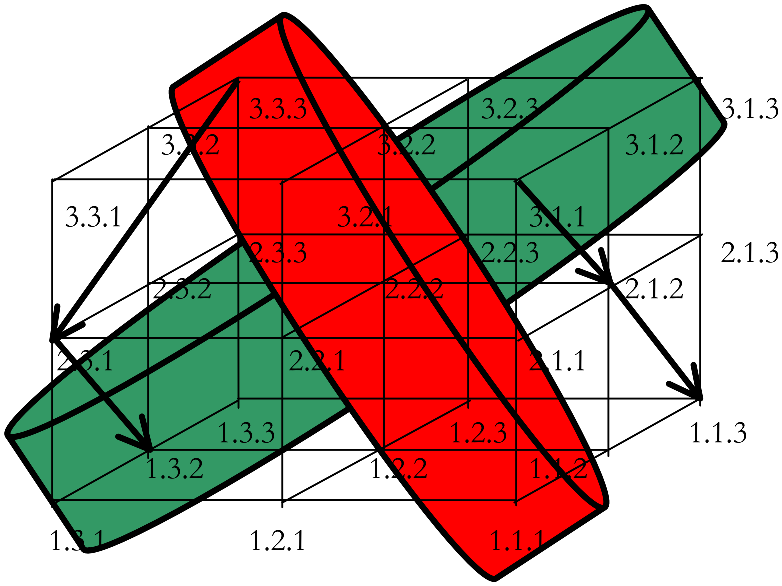
(3.2.3 2.2.1 1.2.2) → (3.3.1 2.3.2 1.3.3) ≡ $[[\beta°, id2, \alpha°\beta°], [\alpha°, id2, \alpha]] \rightarrow [[\beta°, id3, \beta\alpha], [\alpha°, id3, \beta]]$



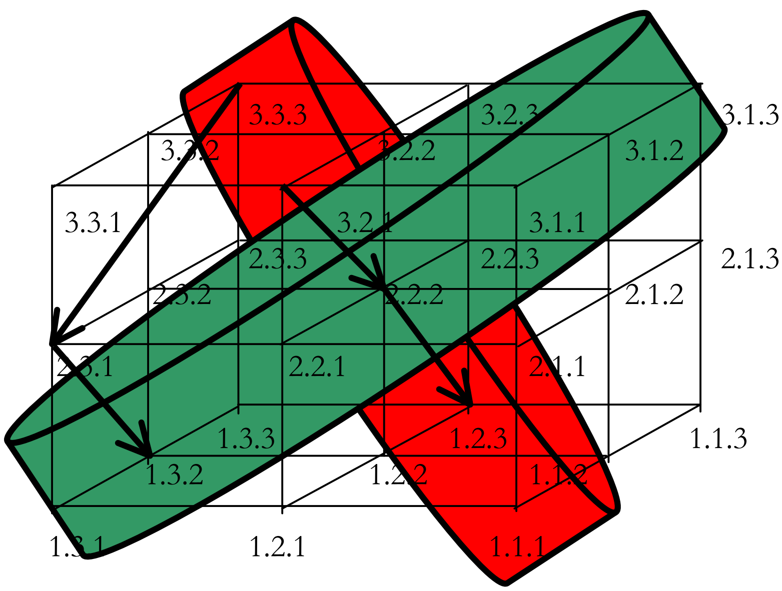
2.15. Transitionsklasse (3.3.3 2.3.1 1.3.2)

(3.3.3 2.3.1 1.3.2) → (3.1.1 2.1.2 1.1.3)
(3.3.3 2.3.1 1.3.2) → (3.2.1 2.2.2 1.2.3)
(3.3.3 2.3.1 1.3.2) → (3.2.3 2.2.2 1.2.1)
(3.3.3 2.3.1 1.3.2) → (3.3.3 2.3.2 1.3.1)
(3.3.3 2.3.1 1.3.2) → (3.3.1 2.3.2 1.3.3)

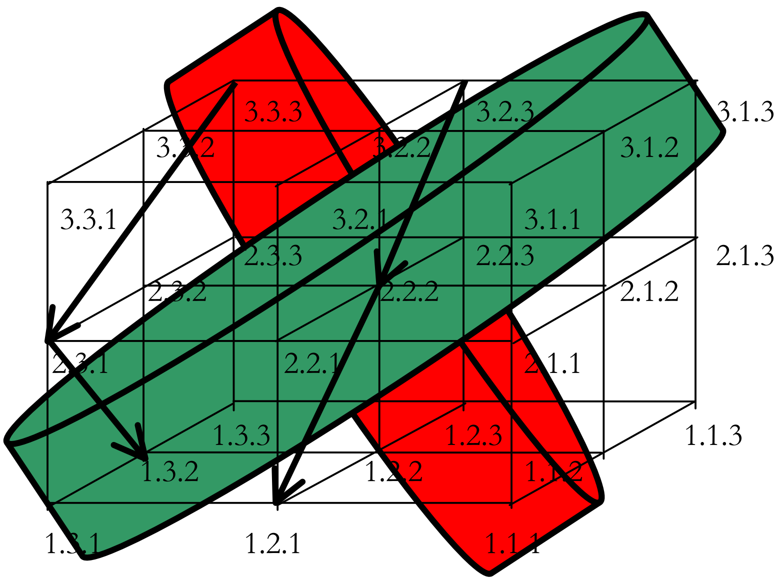
$(3.3.3\ 2.3.1\ 1.3.2) \rightarrow (3.1.1\ 2.1.2\ 1.1.3) \equiv [[\beta°, id3, \alpha°\beta°], [\alpha°, id3, \alpha]] \rightarrow [[\beta°, id1, \alpha], [\alpha°, id1, \beta]]$



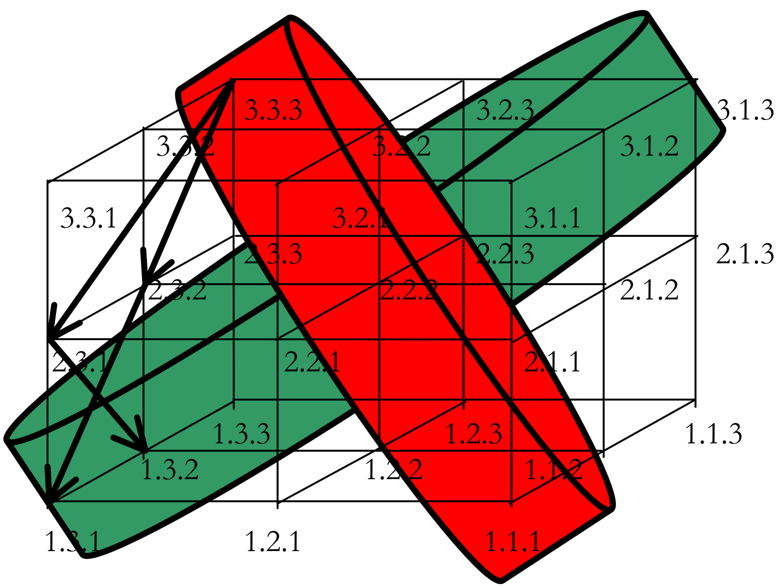
$(3.3.3\ 2.3.1\ 1.3.2) \rightarrow (3.2.1\ 2.2.2\ 1.2.3) \equiv [[\beta°, id3, \alpha°\beta°], [\alpha°, id3, \alpha]] \rightarrow [[\beta°, id2, \alpha], [\alpha°, id2, \beta]]$



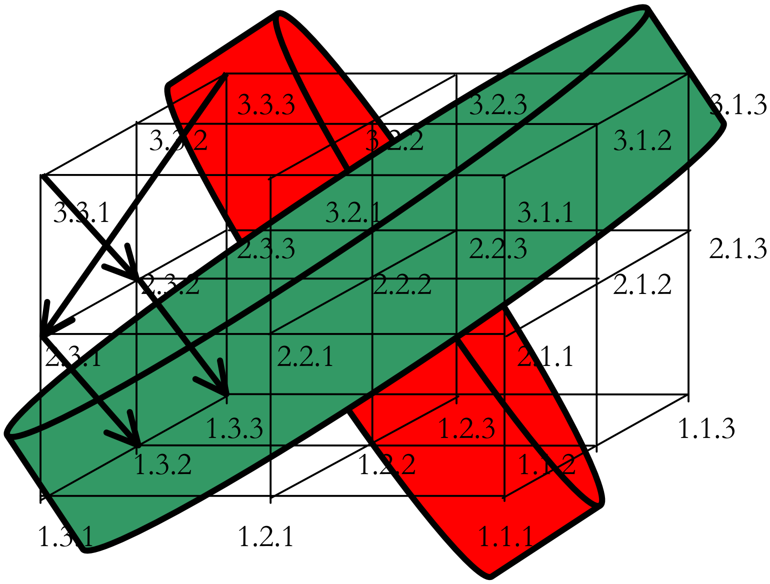
(3.3.3 2.3.1 1.3.2) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id3, α°β°], [α°, id3, α]] → [[β°, id2, β°], [α°, id2, α°]]



(3.3.3 2.3.1 1.3.2) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id3, α°β°], [α°, id3, α]] → [[β°, id3, β°], [α°, id3, α°]]



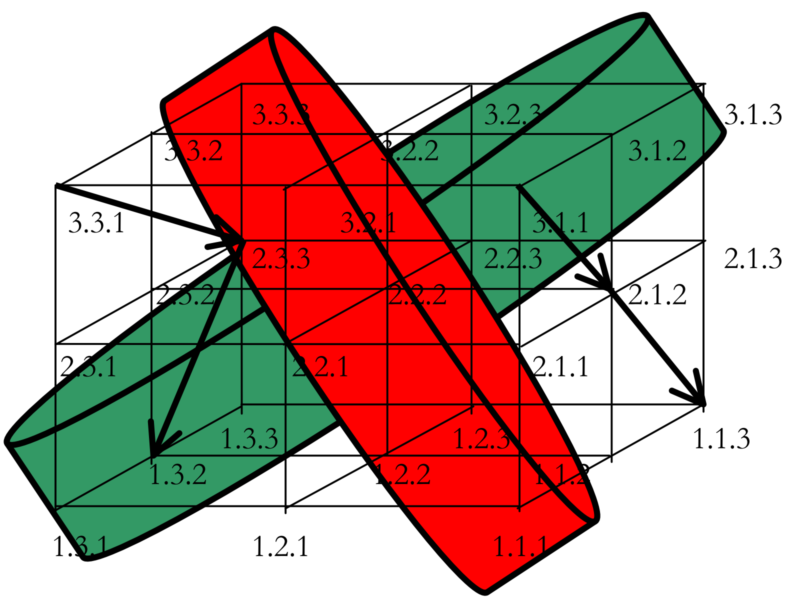
(3.3.3 2.3.1 1.3.2) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id3, α°β°], [α°, id3, α]] → [[β°, id3, α], [α°, id3, β]]



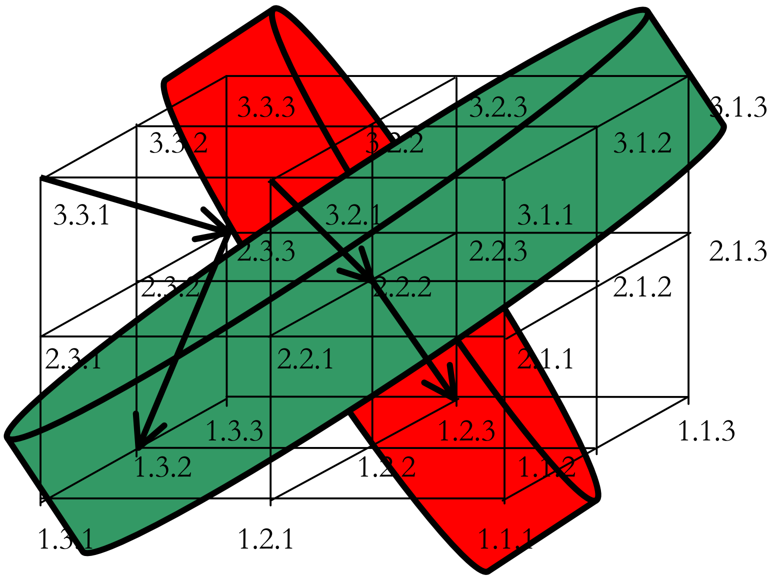
2.16. Transitionsklasse (3.3.1 2.3.3 1.3.2)

$$
(3.3.1\ 2.3.3\ 1.3.2) \rightarrow
\begin{cases}
(3.1.1\ 2.1.2\ 1.1.3) \\
(3.2.1\ 2.2.2\ 1.2.3) \\
(3.2.3\ 2.2.2\ 1.2.1) \\
(3.3.3\ 2.3.2\ 1.3.1) \\
(3.3.1\ 2.3.2\ 1.3.3)
\end{cases}
$$

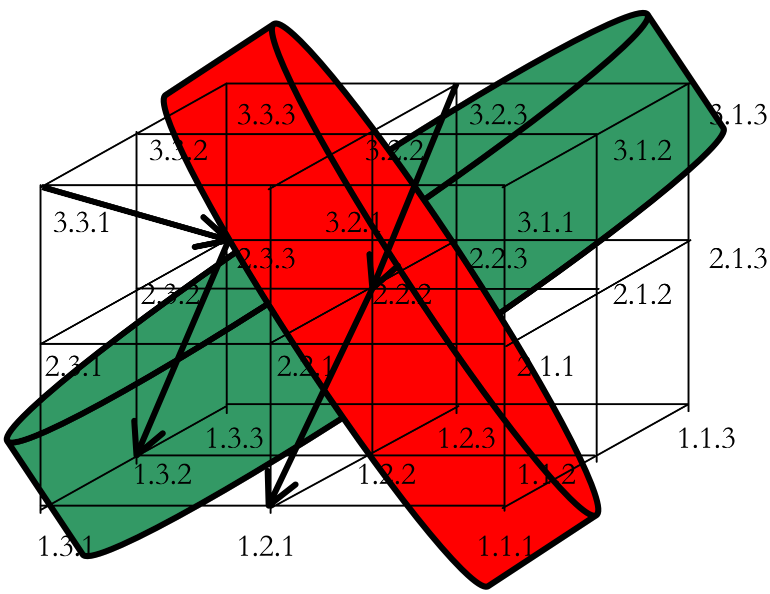
(3.3.1 2.3.3 1.3.2) → (3.1.1 2.1.2 1.1.3) ≡ [[β°, id3, βα], [α°, id3, β°]] → [[β°, id1, α], [α°, id1, β]]



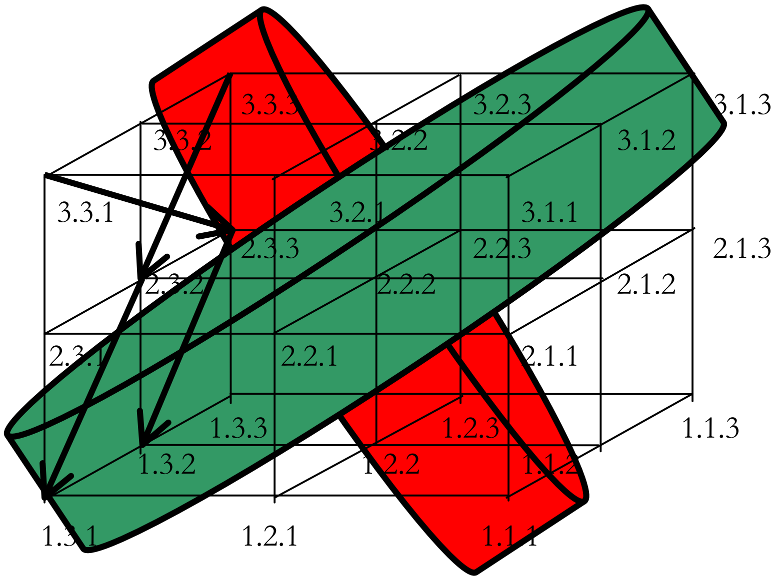
(3.3.1 2.3.3 1.3.2) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id3, βα], [α°, id3, β°]] → [[β°, id2, α], [α°, id2, β]]



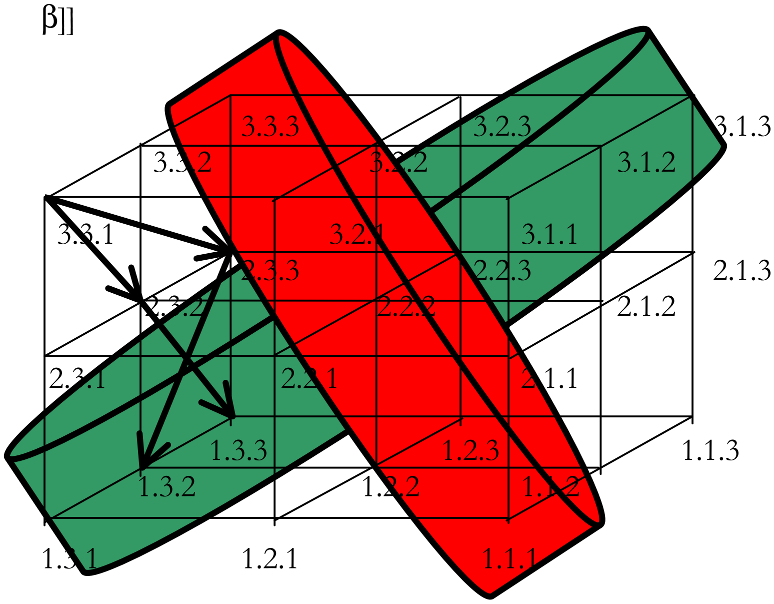
(3.3.1 2.3.3 1.3.2) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id3, βα], [α°, id3, β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.3.1 2.3.3 1.3.2) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id3, βα], [α°, id3, β°]] → [[β°, id3, β°], [α°, id3, α°]]



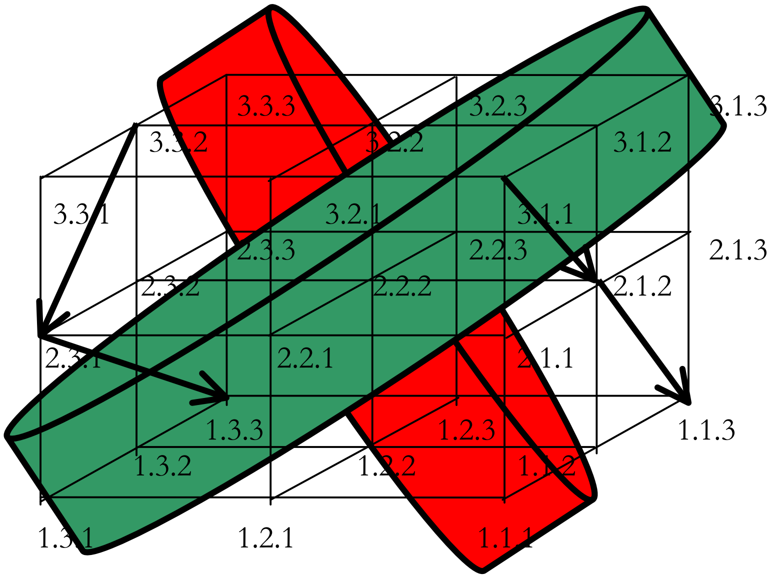
(3.3.1 2.3.3 1.3.2) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id3, βα], [α°, id3, β°]] → [[β°, id3, α], [α°, id3, β]]



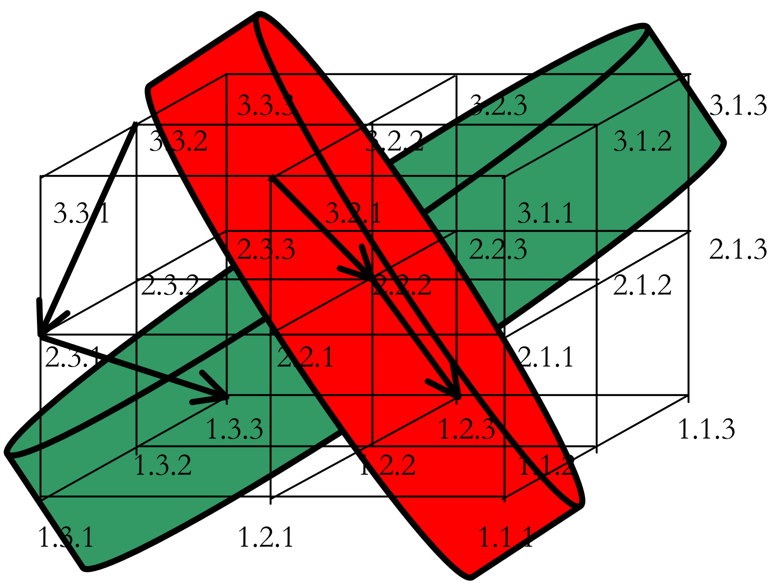
2.17. Transitionsklasse (3.3.2 2.3.1 1.3.3)

$$
(3.3.2\ 2.3.1\ 1.3.3) \to \begin{cases} (3.1.1\ 2.1.2\ 1.1.3) \\ (3.2.1\ 2.2.2\ 1.2.3) \\ (3.2.3\ 2.2.2\ 1.2.1) \\ (3.3.3\ 2.3.2\ 1.3.1) \\ (3.3.1\ 2.3.2\ 1.3.3) \end{cases}
$$

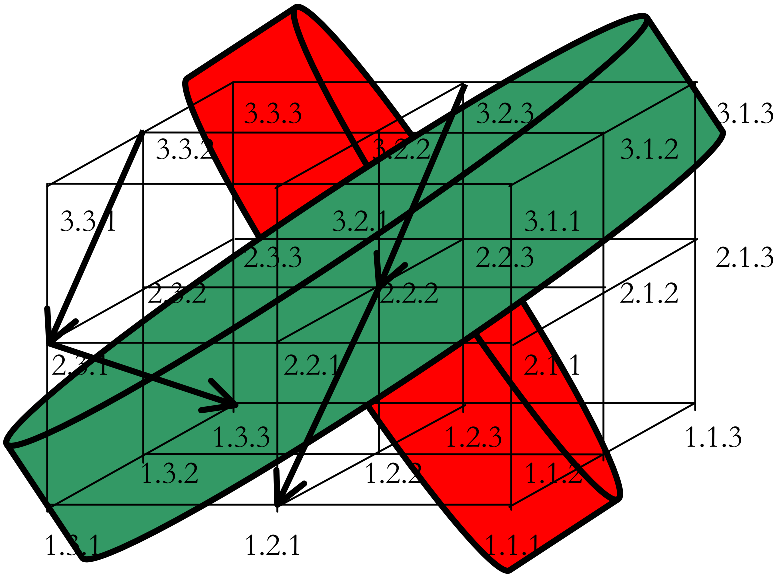
$(3.3.2\ 2.3.1\ 1.3.3) \rightarrow (3.1.1\ 2.1.2\ 1.1.3) \equiv [[\beta°, \mathrm{id}3, \alpha°], [\alpha°, \mathrm{id}3, \beta\alpha]] \rightarrow [[\beta°, \mathrm{id}1, \alpha], [\alpha°, \mathrm{id}1, \beta]]$



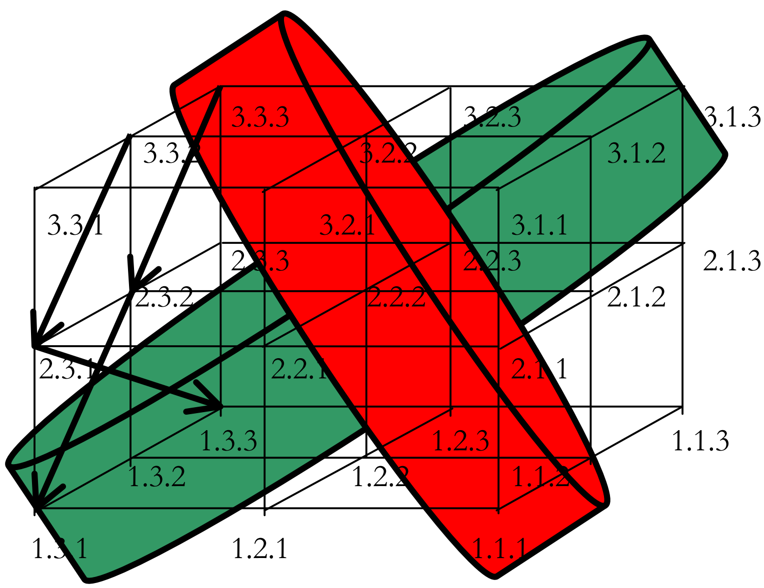
$(3.3.2\ 2.3.1\ 1.3.3) \rightarrow (3.2.1\ 2.2.2\ 1.2.3) \equiv [[\beta°, \mathrm{id}3, \alpha°], [\alpha°, \mathrm{id}3, \beta\alpha]] \rightarrow [[\beta°, \mathrm{id}2, \alpha], [\alpha°, \mathrm{id}2, \beta]]$



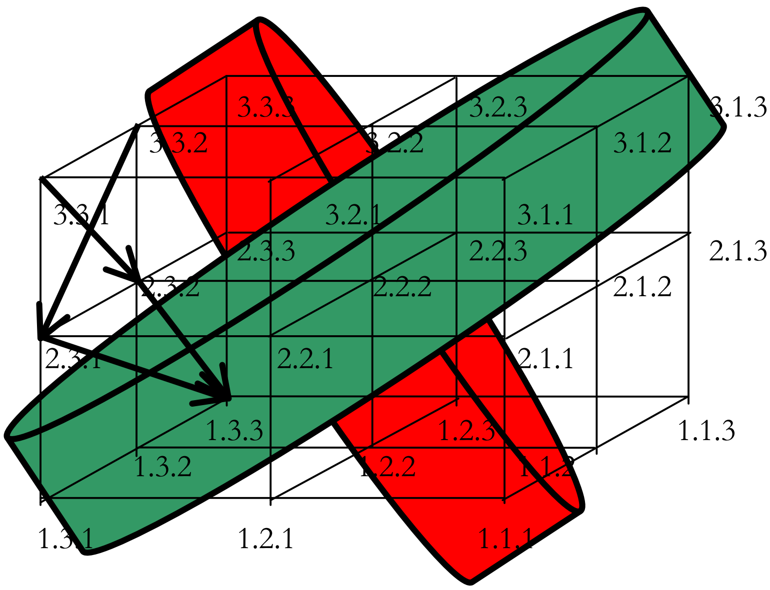
(3.3.2 2.3.1 1.3.3) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id3, α°], [α°, id3, βα]] → [[β°, id2, β°], [α°, id2, α°]]



(3.3.2 2.3.1 1.3.3) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id3, α°], [α°, id3, βα]] → [[β°, id3, β°], [α°, id3, α°]]



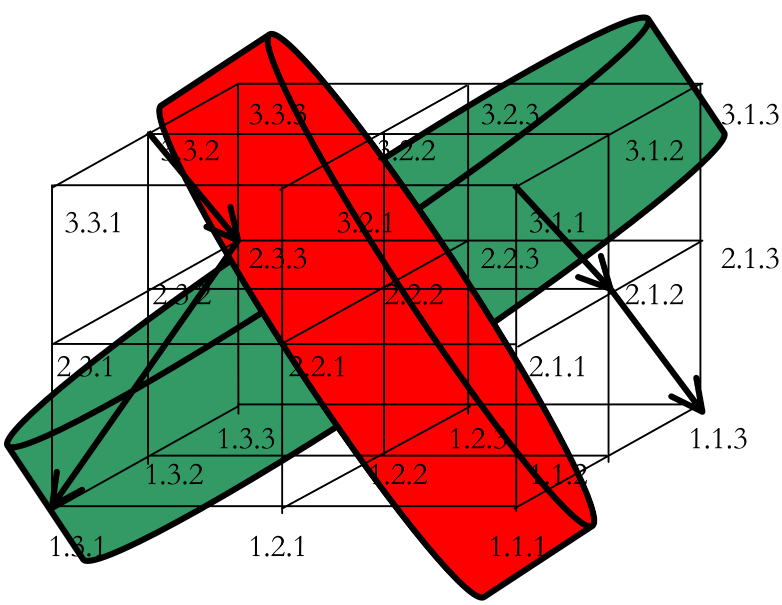
(3.3.2 2.3.1 1.3.3) → (3.3.1 2.3.2 1.3.3) ≡ [[$\beta°$, id3, $\alpha°$], [$\alpha°$, id3, $\beta\alpha$]] → [[$\beta°$, id3, α], [$\alpha°$, id3, β]]



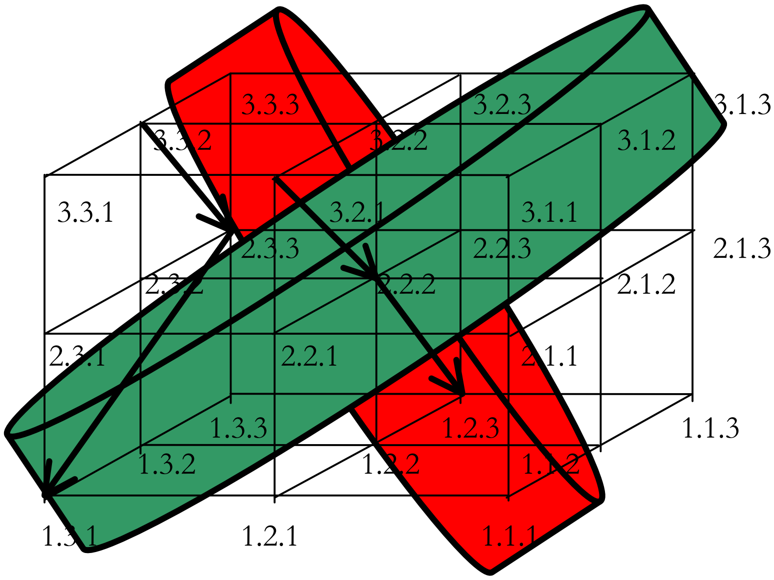
2.18. Transitionsklasse (3.3.2 2.3.3 1.3.1)

$$
(3.3.2\ 2.3.3\ 1.3.1) \rightarrow \begin{cases} (3.1.1\ 2.1.2\ 1.1.3) \\ (3.2.1\ 2.2.2\ 1.2.3) \\ (3.2.3\ 2.2.2\ 1.2.1) \\ (3.3.3\ 2.3.2\ 1.3.1) \\ (3.3.1\ 2.3.2\ 1.3.3) \end{cases}
$$

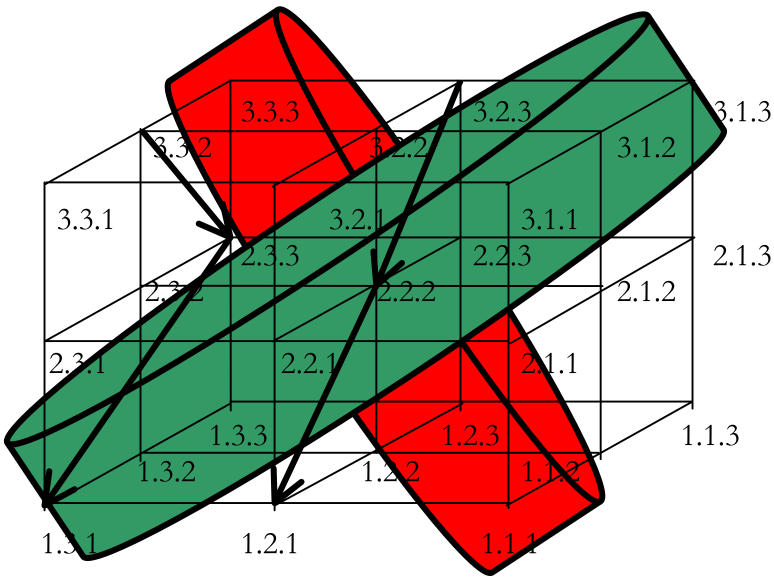
(3.3.2 2.3.3 1.3.1) → (3.1.1 2.1.2 1.1.3) ≡ [[$\beta°$, id3, β], [$\alpha°$, id3, $\alpha°\beta°$]] → [[$\beta°$, id1, α], [$\alpha°$, id1, β]]



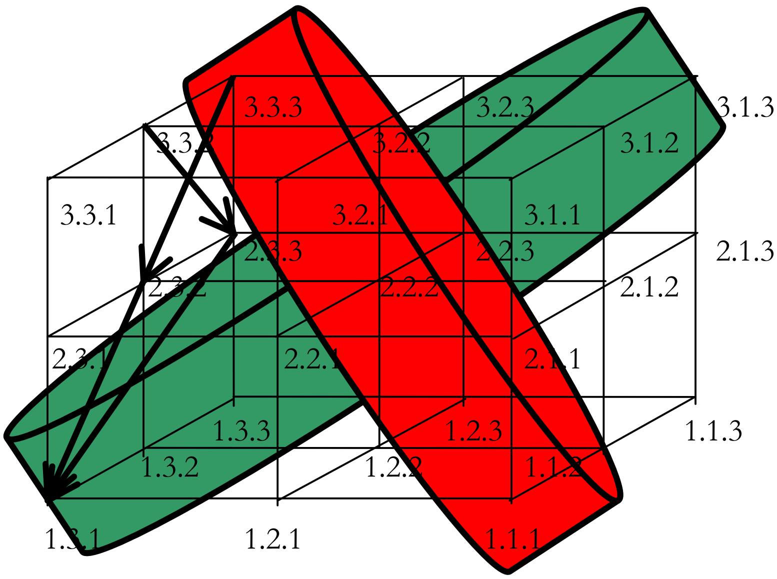
(3.3.2 2.3.3 1.3.1) → (3.2.1 2.2.2 1.2.3) ≡ [[β°, id3, β], [α°, id3, α°β°]] → [[β°, id2, α], [α°, id2, β]]



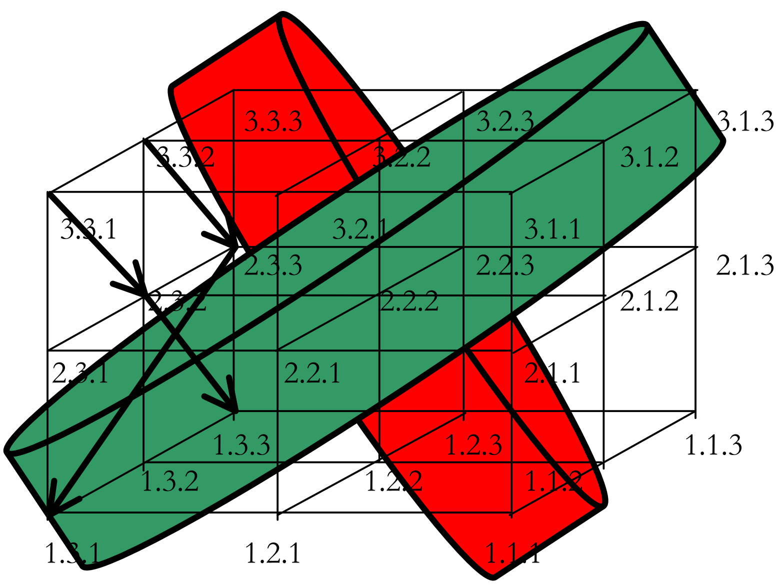
(3.3.2 2.3.3 1.3.1) → (3.2.3 2.2.2 1.2.1) ≡ [[β°, id3, β], [α°, id3, α°β°]] → [[β°, id2, β°], [α°, id2, α°]]



(3.3.2 2.3.3 1.3.1) → (3.3.3 2.3.2 1.3.1) ≡ [[β°, id3, β], [α°, id3, α°β°]] → [[β°, id3, β°], [α°, id3, α°]]



(3.3.2 2.3.3 1.3.1) → (3.3.1 2.3.2 1.3.3) ≡ [[β°, id3, β], [α°, id3, α°β°]] → [[β°, id3, α], [α°, id3, β]]



Am Ende meines Buches “In Transit” hatte ich geschrieben (Toth 2008b, S. 95 f.): “Our analysis can thus be summarized like follows:

1. Elimination of the 4 logical motives: — Monocotextural Logic ↓ Polycontextural Logic

1.1. Law of the Excluded Middle
1.2. Law of Identitity
1.3. Law of Noncontradiction
1.4. Principle of Sufficient Reason

2. Elimination of the borders between Subject and Object:

2.1. Elimination of the Theorem of the Transcendency of the Object
2.2. Elimination of the Threom of the Constancy of Structure

⇒ Transcendental (Polycontextural) Semiotics, Qualitative Mathematics

3. Metaphysical consequences:

Recognition ⇒ (Rationalism ⇒) Irrationalism) ⇒ Transit ⇒ Transition

↓

4. Appearance of Rests of Reflexion

↓

5. Abolishment of Individuality (⇐ Demonism ⇐ Illusionism ⇐ Idealism)

Decrease of Mind

Im engeren Sinn beginnt die Todesmetaphysik des Geistes also mit dem **Erscheinen von Reflexionsresten**. Wir müssen uns an dieser Stelle – natürlich weit auf künftige Arbeiten vorweisend – fragen, ob die **semiotischen Dimensionszahlen**, die ja nach einer der mehreren möglichen Interpretationen die kategorial mitgeführten präsemiotischen Trichotomien und damit nichts anderes als die Benseschen **Kategorialzahlen** sind (Bense 1975, S. 45 f.; Toth 2009c), ob also diese Dimensionszahlen nicht genau die Reflexionsreste sind, die formal durch die Projektion der Stiebingschen Zeichenebene auf den Zeichenkubus entstehen. Das wäre natürlich eine schöne Bestätigung des in dieser Arbeit eingeführten Zylindermodells und würde die frühen zylindrischen Darstellung von Jenseitsreisen bestätigen. Dann müsste es allerdings nach dem obigen Schema auch möglich sein, die Auflösung der Individualität, die erstmals 1895 durch den Psychiater Oskar Panizza theoretisch formuliert wurde (Panizza 1895), mit Hilfe des Zeichenkubus-Modells formal darzustellen.

Aber last, but by no means least, widerspricht das hier vorgelegte doppelzylindrisch-offene Modell den inhaltlichen Schlussfolgerungen, die in “In Transit” gezogen worden waren: “It is mathematically, logically and semiotically impossible to get out of a Transit, since Transit has the shape of a Diamond and the diamond has the shape of a Torus. Therefore, Transit necessarily leads to Transition. According to Panizza, who showed in his main philosophical work “Illusionism” (1895) the way from Idealism via Illusionism and Demonism to the Abolishment of individualty as a metaphysical consequence and not as a form of insanity, there is only one “way out” of the Transit-Corridor: “As a physiological, unavoidable act, suicide has its own right like sneezing and spitting. It simply has to happen. It is a physiological act” (Panizza 1895, pp. 55s.). “Death is close to all of us in the same manner; and this does not make a difference, if he meets us with the knife that we chose for ourselves or strangles us in our death-bed” (Panizza 1891, pp. 3s.).

Nun war bereits in Toth (2008a, S. 311) gezeigt worden, dass in einem toroiden Transit-modell der Tod keine Erlösung sein kann, weil der Geist auch nach dem Zerfall des Körpers innerhalb des semiotischen Torus verbleibt und wir also eine kafkaesque “Eschatologie der Hoffnungslosigkeit” vor uns haben. Wenn nun aber der Torus durch den Zylinder ersetzt wird, wie dies zwar nicht das zweidimensionale, aber das dreidimensionale Zeichenmodell suggeriert, dann ergeben sich die in Kapitel 2 gezeigten 90 Möglichkeiten der allem Anschein nach **reversiblen Transitionen zwischen den Transit-Zylindern**. Die Eschatologie der Hoffnungslosigkeit wird sozusagen ersetzt durch eine **Eschatologie der semiotisch-osmotischen (relativen) Freiheit**. Dies setzt dann allerdings voraus, dass die Transition vom Erscheinen der Reflexionsreste bis zur Auflösung der Individualität nicht durchgeführt sein kann, und zwar ganz genau im Sinne der Güntherschen Idee, dass auch nach der Auf-lösung der klassischen Seinsidentität im Tode bereits in einer dreiwertigen Logik die zwei transklassischen Reflexionsidentitäten nicht notwendig ebenfalls aufgelöst werden müssen (Günther 1957, S. 11). In anderen Worten: Diese dreiwertige Logik braucht die Reflexions-reste eben nicht auszugrenzen, weil logisch ein zusätzlicher Wert verglichen mit der klassischen zweiwertigen Logik vorhanden ist. Und da diese Reflexionsreste eben in den Dimensionszahlen des kubischen Zeichenmodells semiotisch vorhanden sind, muss dieses Zeichenmodell gerade deswegen die Erhaltung der Individualität gewährleisten. Bestenfalls ist es also so, dass die Transition vom Aufscheinen von Reflexionsresten zur Auflösung der Individualität im **Torus-Transit-Modell** radikal durchgeführt wird, aber im **Zylinder-Transit-Modell** auf der Ebene der ins Modell dimensional voll integrierten Reflexionsreste stehen bleibt. Ferner erkennt man leicht, dass Transit und Transition im Torus- und Zylindermodell zeitlich und hinblicklich der Differenz zwischen Aussen und Innen jeweils umgekehrt sind.

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